

CHROMA ADJUSTMENT FOR HDR VIDEO

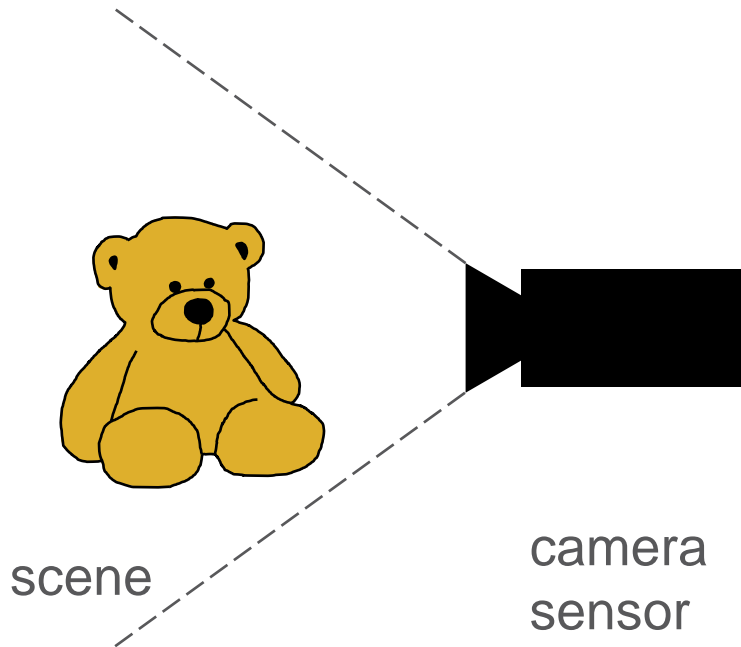
Jacob Ström, Per Wennersten
Ericsson Research

VIDEO REPRESENTATION

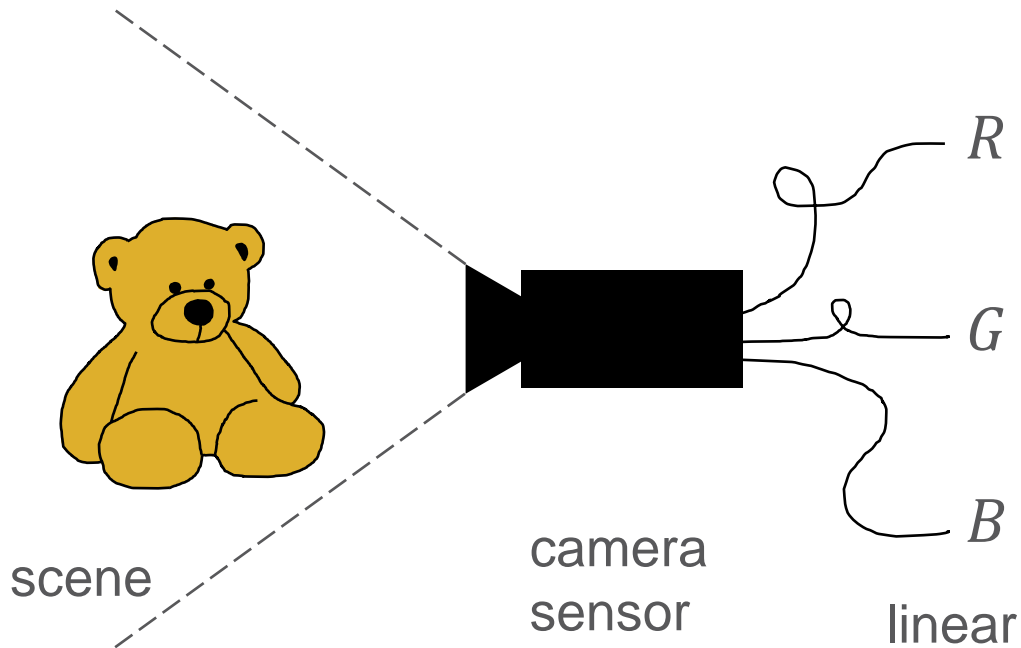


scene

VIDEO REPRESENTATION

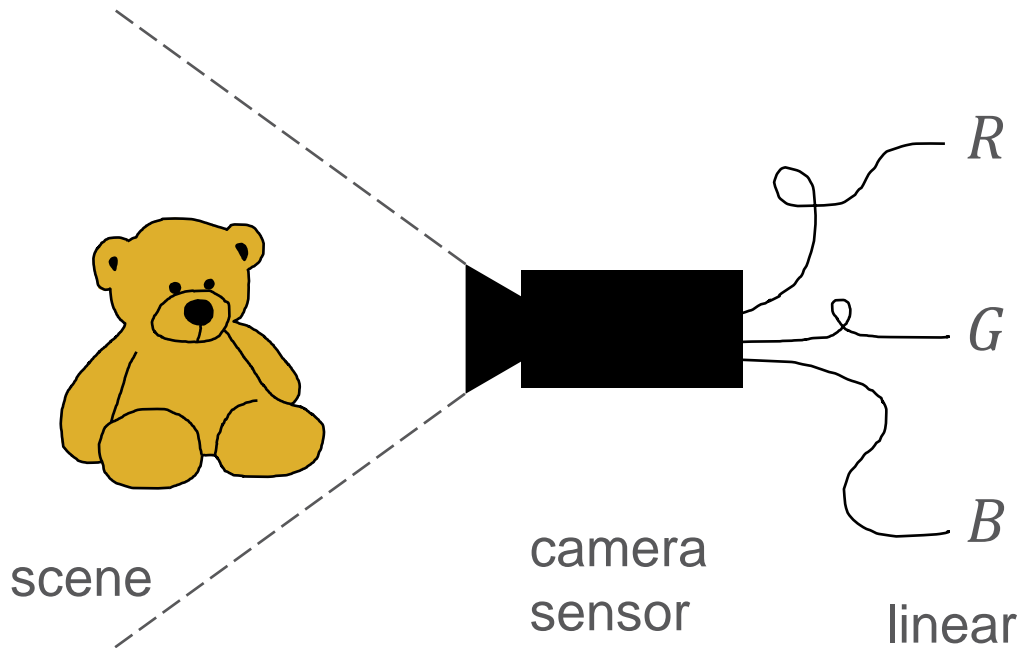


VIDEO REPRESENTATION



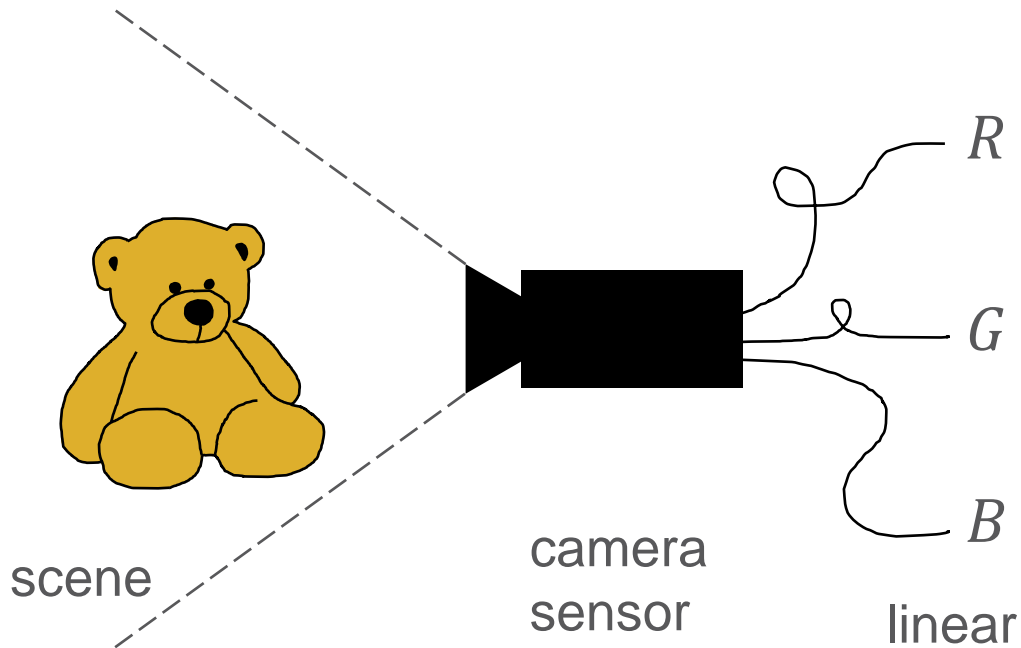
- › Every camera sensor works by registering photons that hit the sensor
- › A linear sensor can be seen as “counting the photons”
- › At the most basic level, we therefore measure the linear values for R, G and B.

VIDEO REPRESENTATION



- › *Problem: A linear representation is not a good way to spend code levels*
- › 100 photons to 110
 - 10% increase
 - visible difference
- › 10000 photons to 10010
 - 0.1% increase
 - not visible

VIDEO REPRESENTATION



› *Problem: A linear representation is not a good way to spend code levels*

› 100 photons to 110

– 10% increase

– visible difference

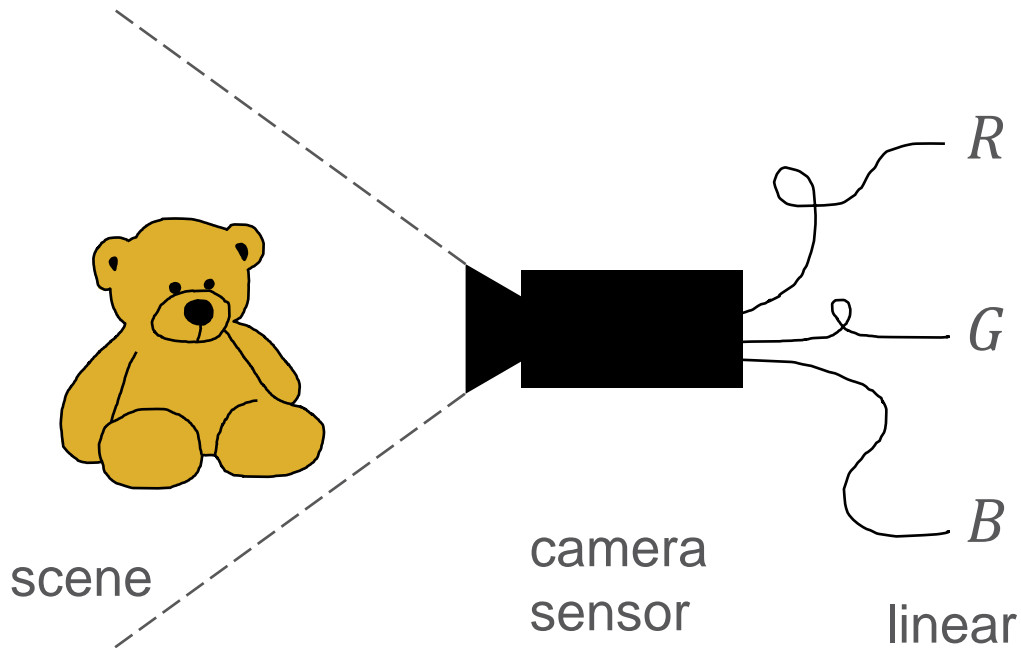
› 10000 photons to 10010

– 0.1% increase

– not visible

← too many bits spent here

VIDEO REPRESENTATION



› *Problem: A linear representation is not a good way to spend code levels*

› 100 photons to 110

- 10% increase
- visible difference

← too few bits spent here

› 10000 photons to 10010

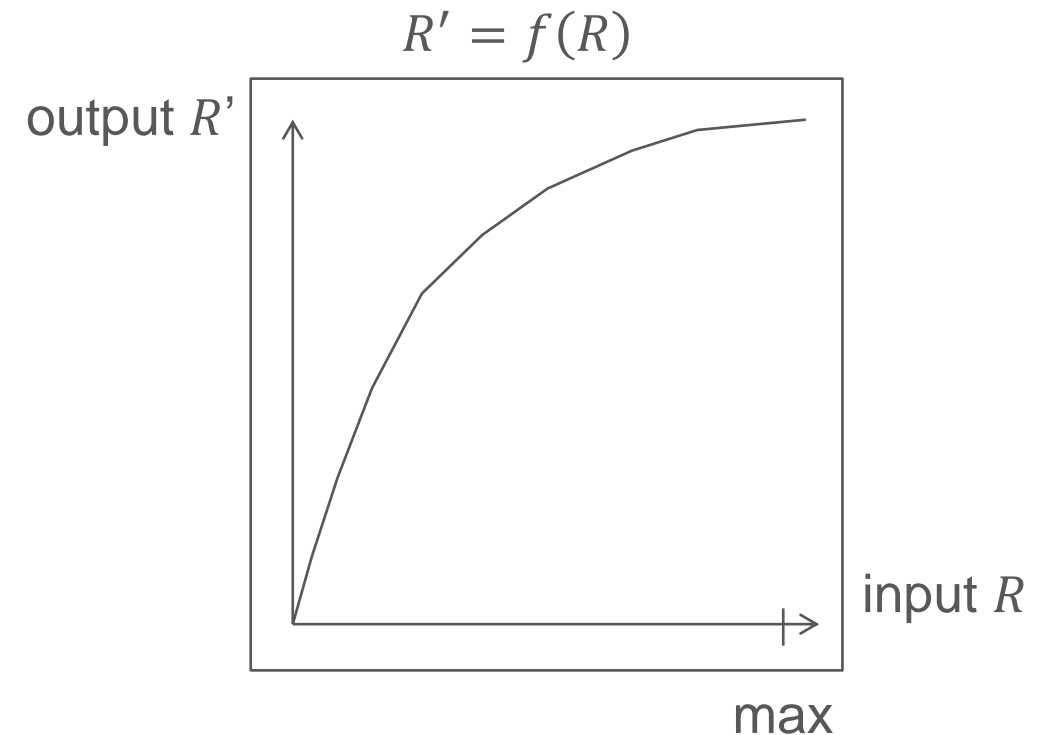
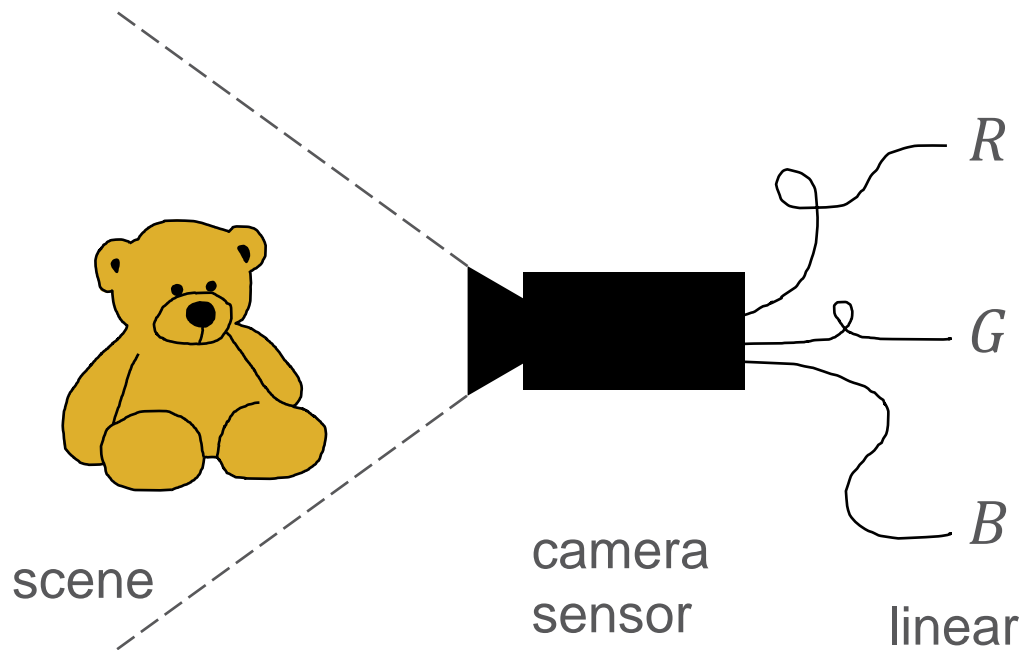
- 0.1% increase
- not visible

← too many bits spent here

VIDEO REPRESENTATION



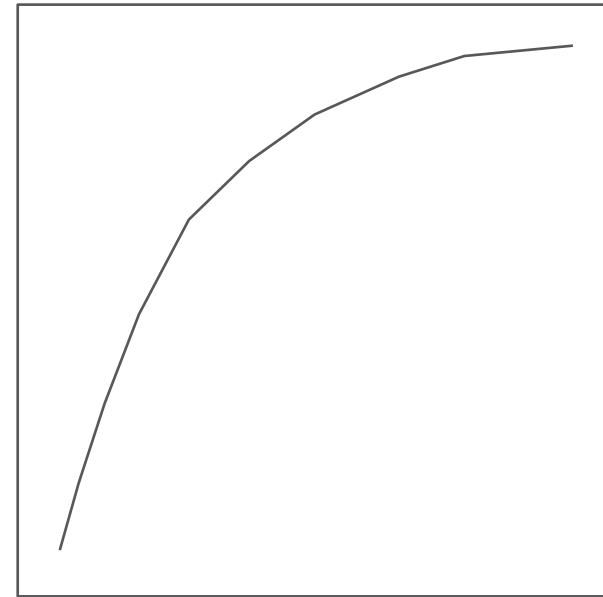
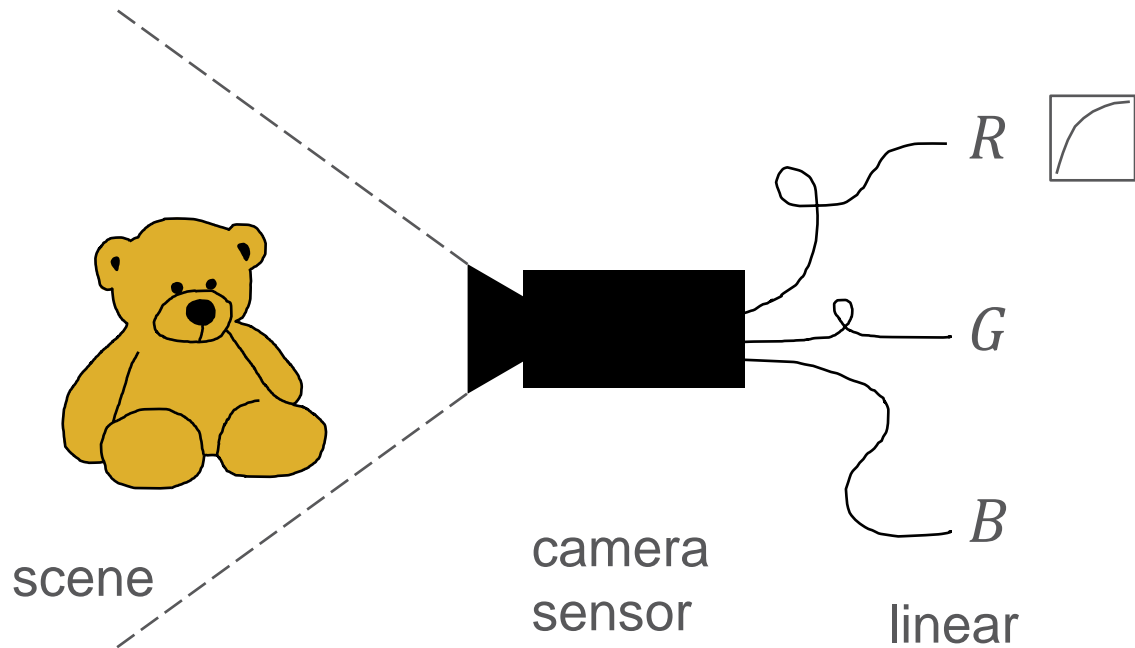
› *Solution: Add nonlinearity before coding*



VIDEO REPRESENTATION



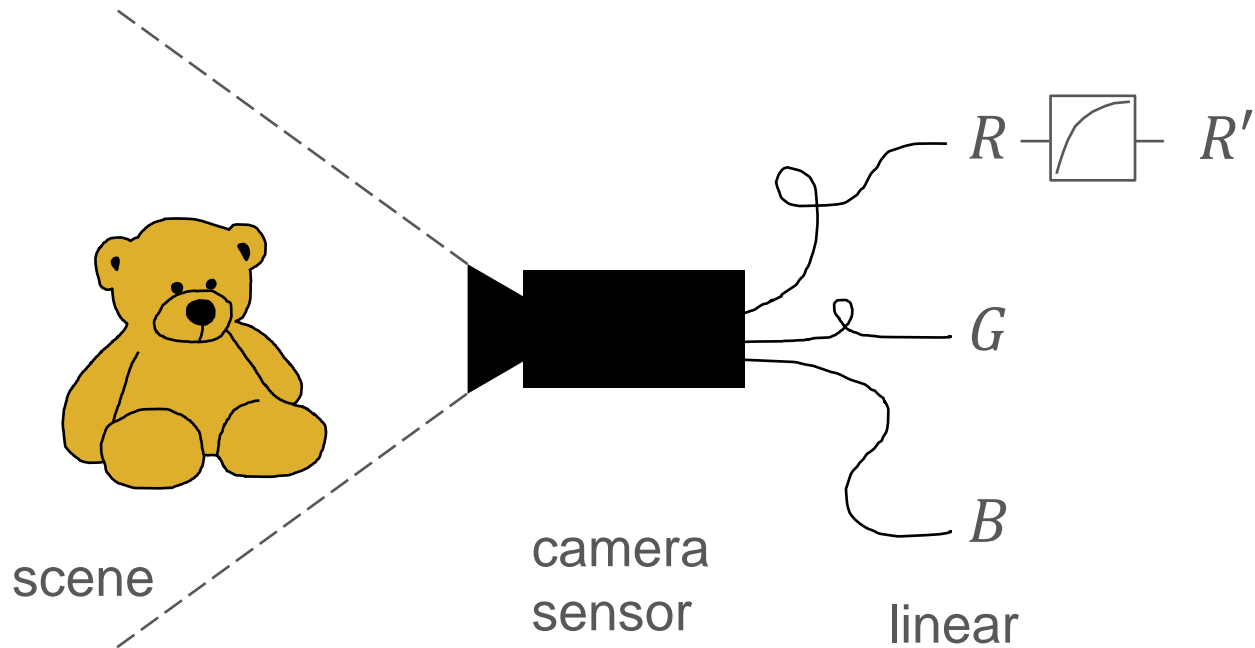
› *Solution: Add nonlinearity before coding*



VIDEO REPRESENTATION



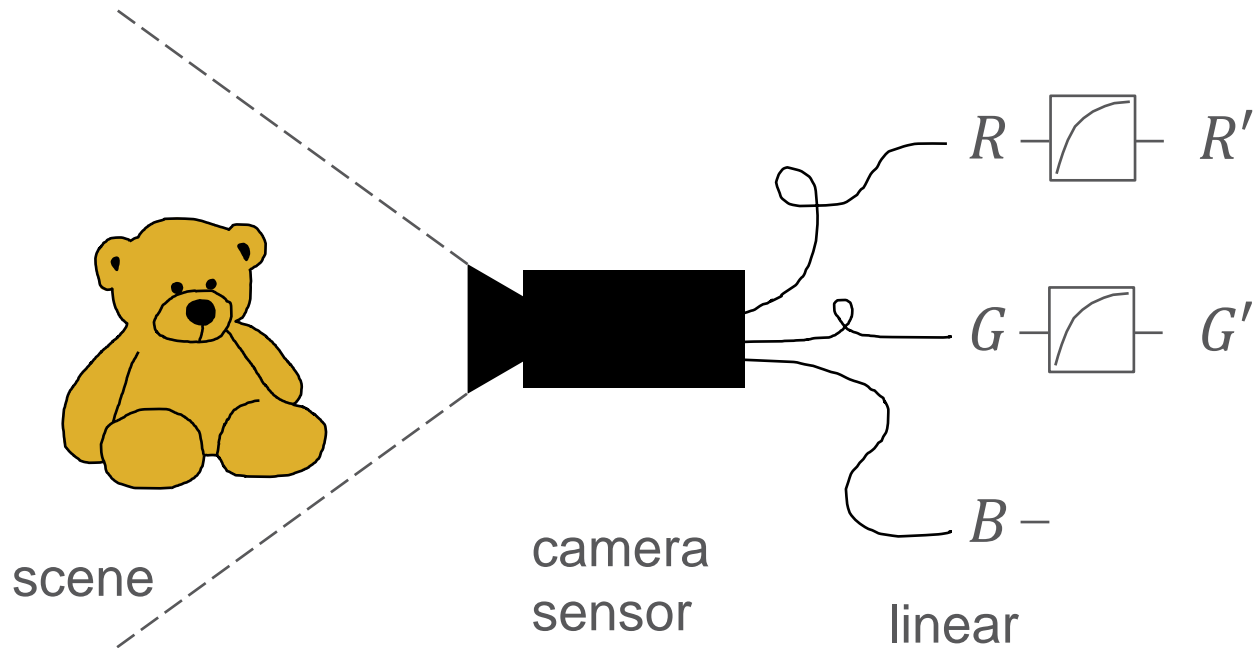
› *Solution: Add nonlinearity before coding*



VIDEO REPRESENTATION



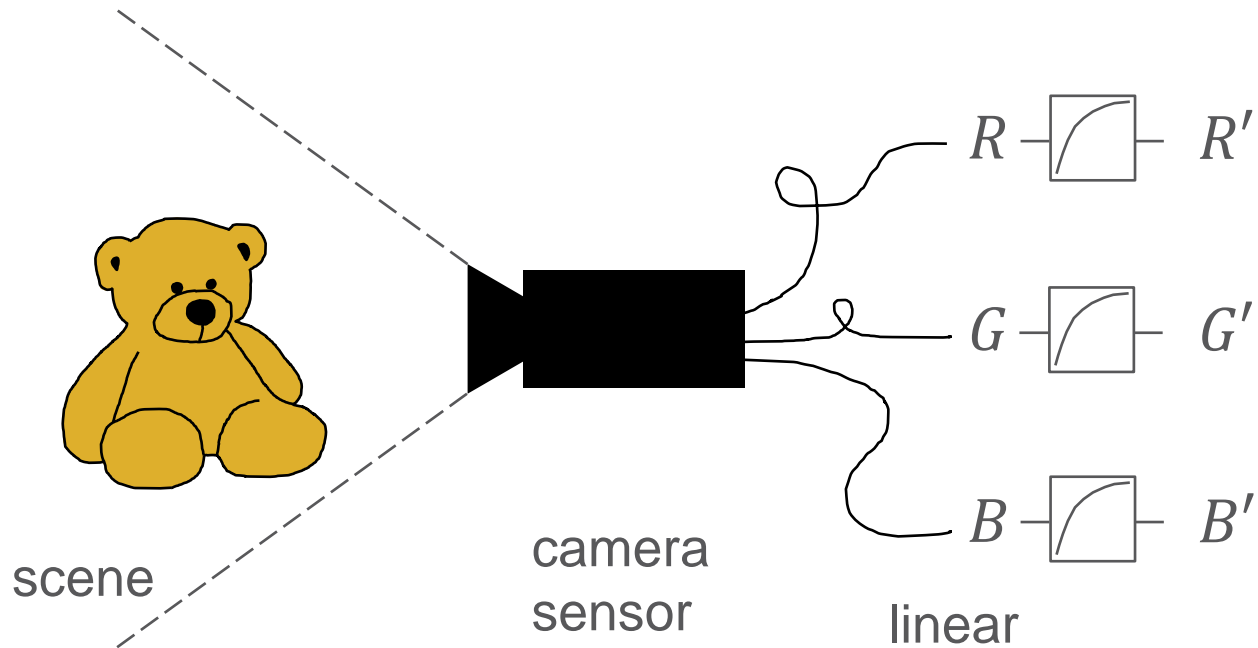
› *Solution: Add nonlinearity before coding*



VIDEO REPRESENTATION



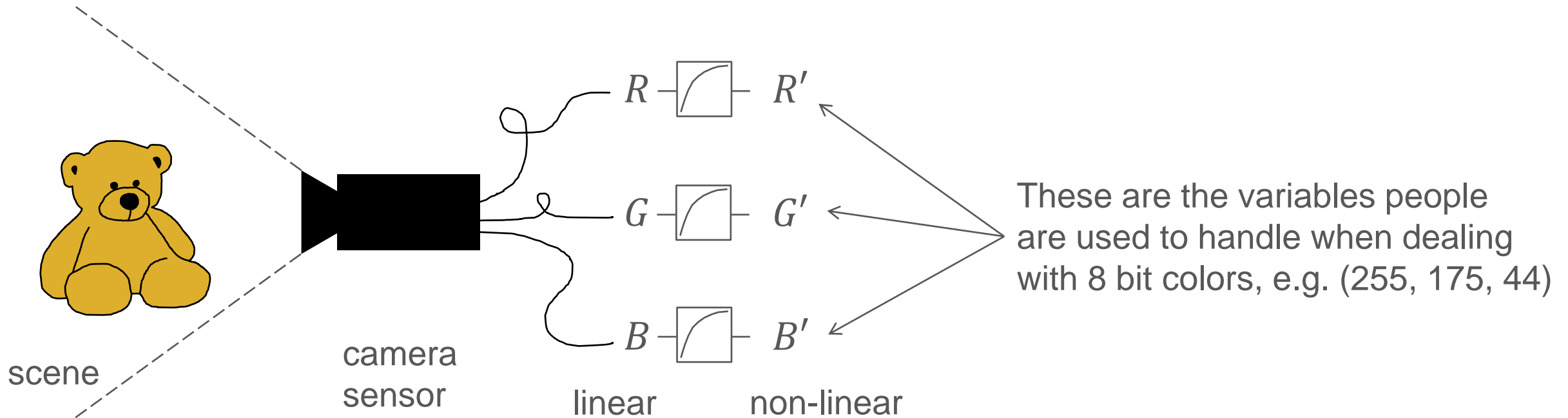
› *Solution: Add nonlinearity before coding*



VIDEO REPRESENTATION



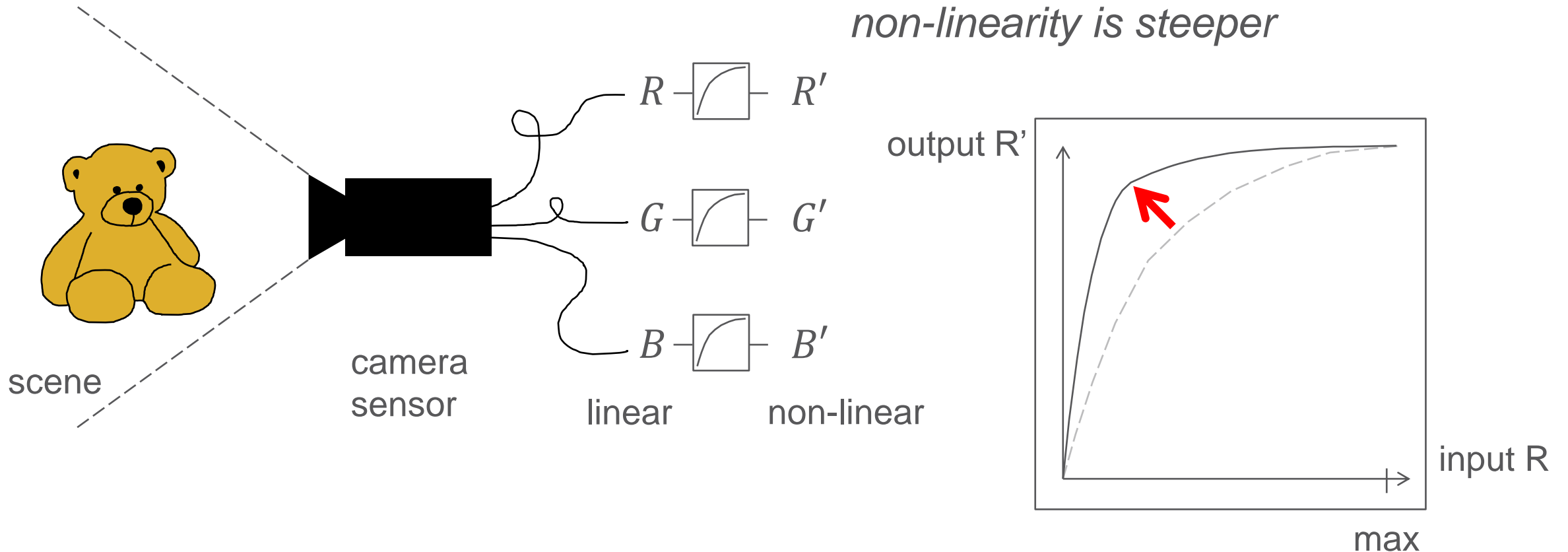
› *Solution: Add nonlinearity before coding*



VIDEO REPRESENTATION



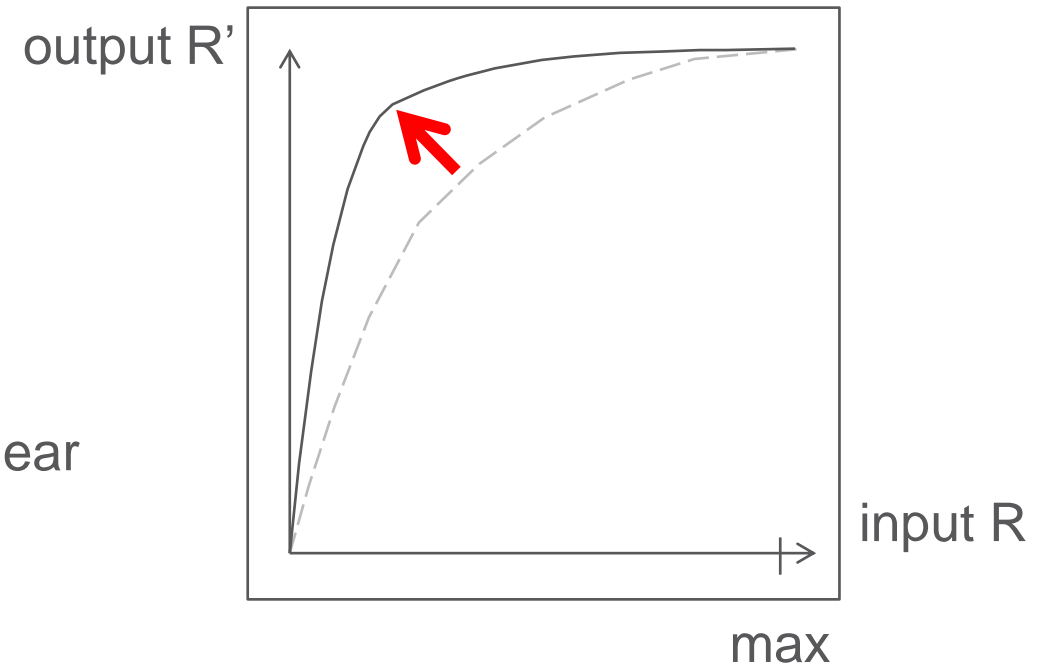
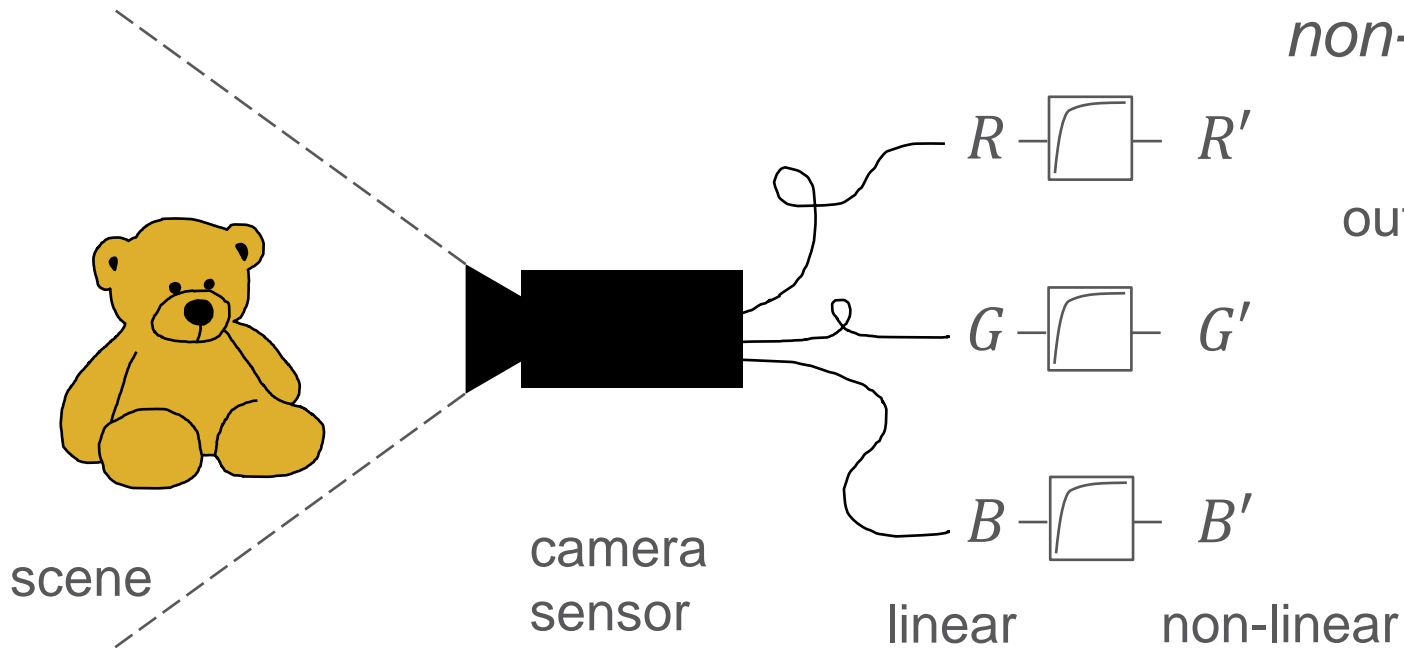
- › For HDR, the max is higher and the non-linearity is steeper



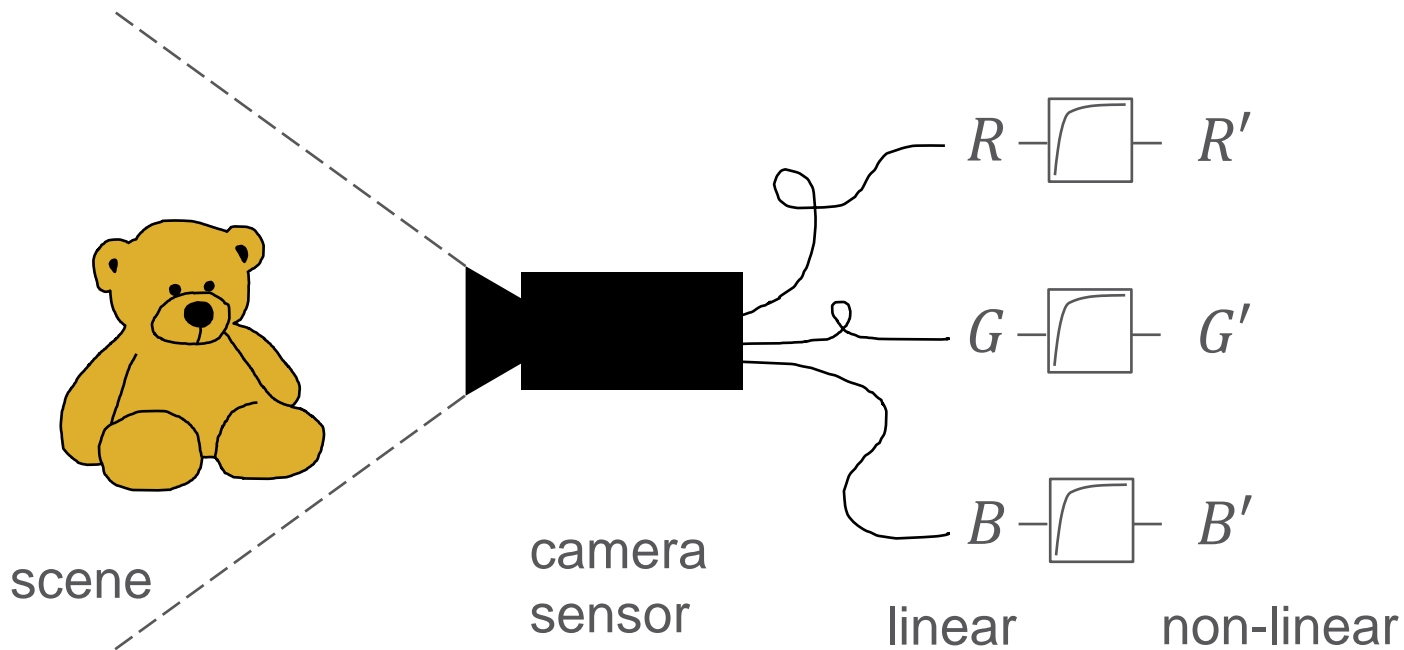
VIDEO REPRESENTATION



› For HDR, the max is higher and the non-linearity is steeper

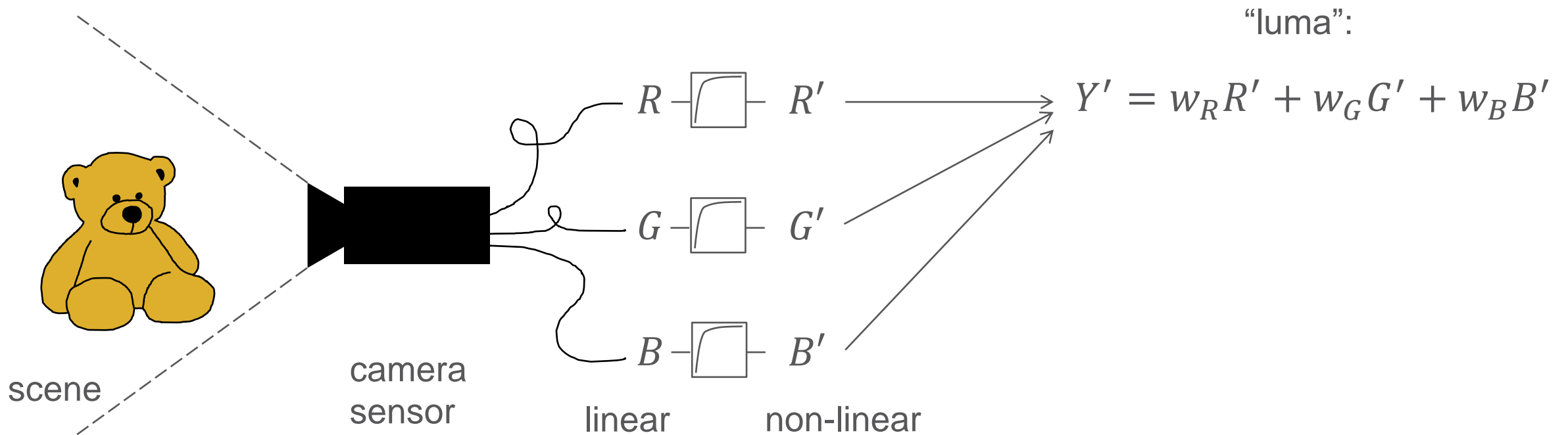


VIDEO REPRESENTATION

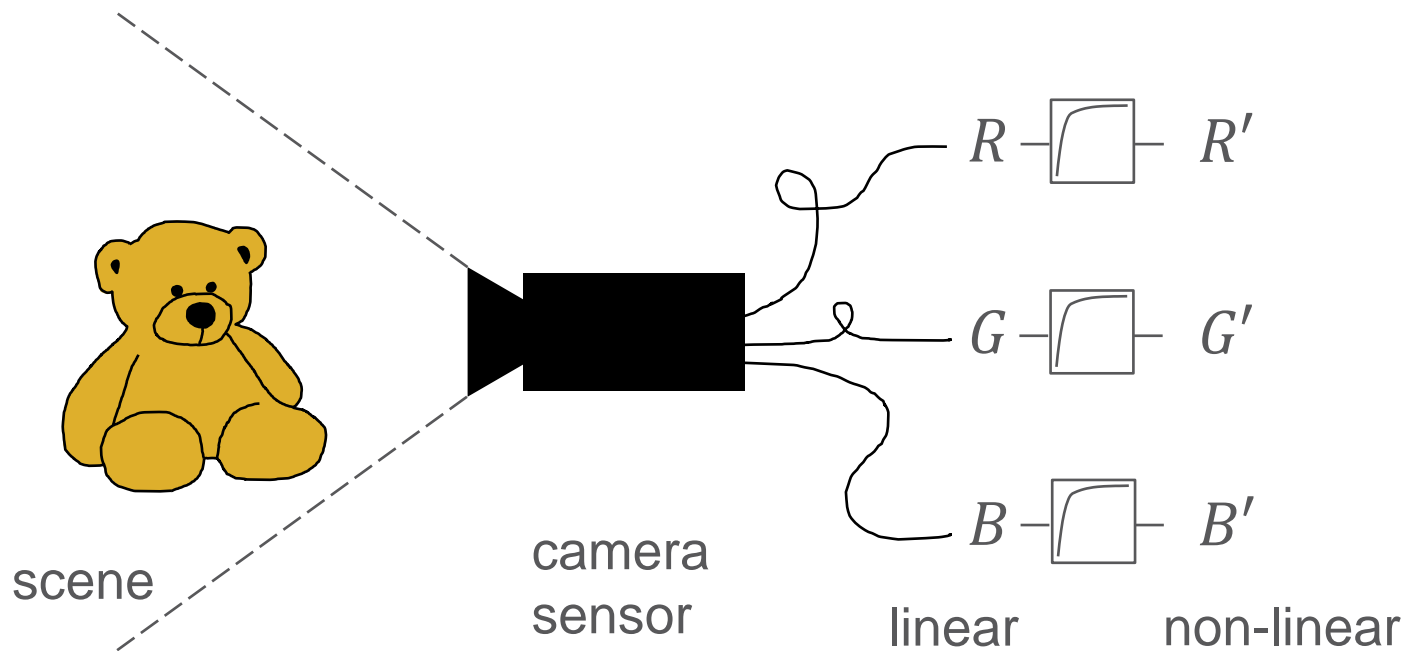


- › 2nd problem: R' , G' and B' are correlated.
 - Inefficient to send the same data three times
- › Solution:
 - Use average/difference repr.

VIDEO REPRESENTATION



VIDEO REPRESENTATION

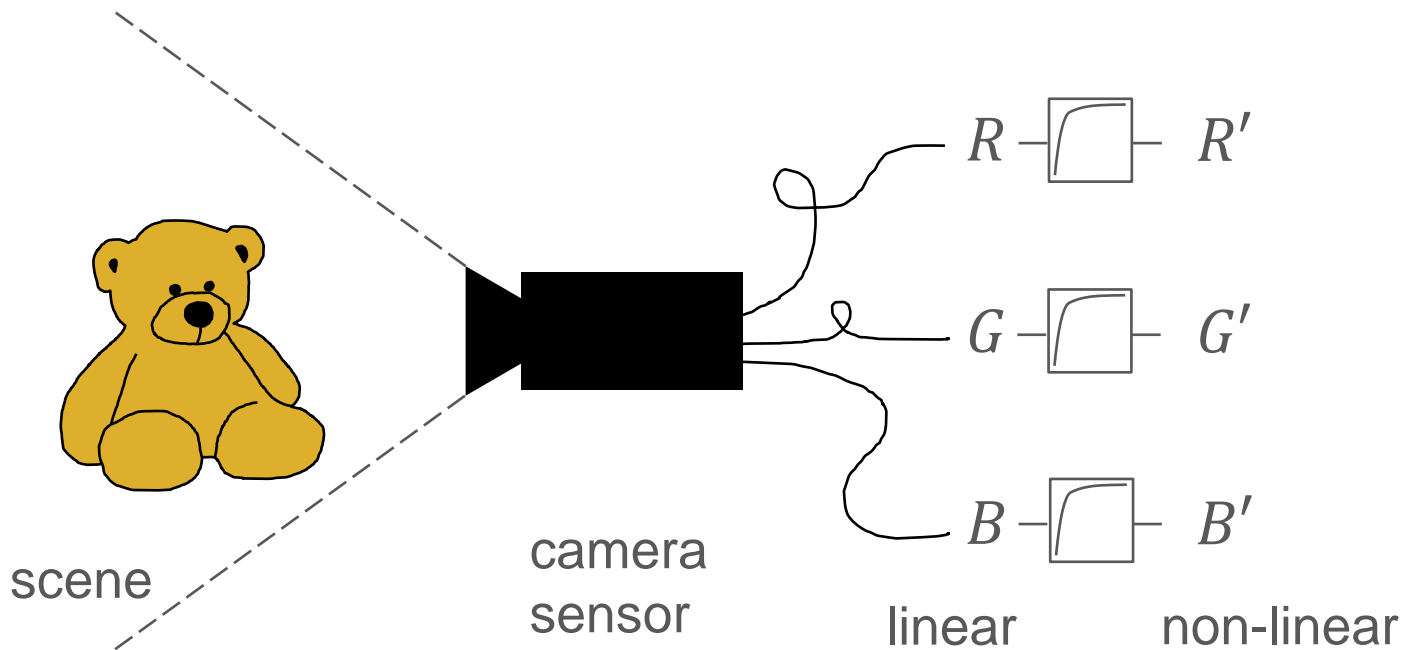


“luma”:

$$Y' = w_R R' + w_G G' + w_B B'$$

$$\left. \begin{array}{l} Cb' \sim B' - Y' \\ Cr' \sim R' - Y' \end{array} \right\} \text{“chroma”:$$

VIDEO REPRESENTATION



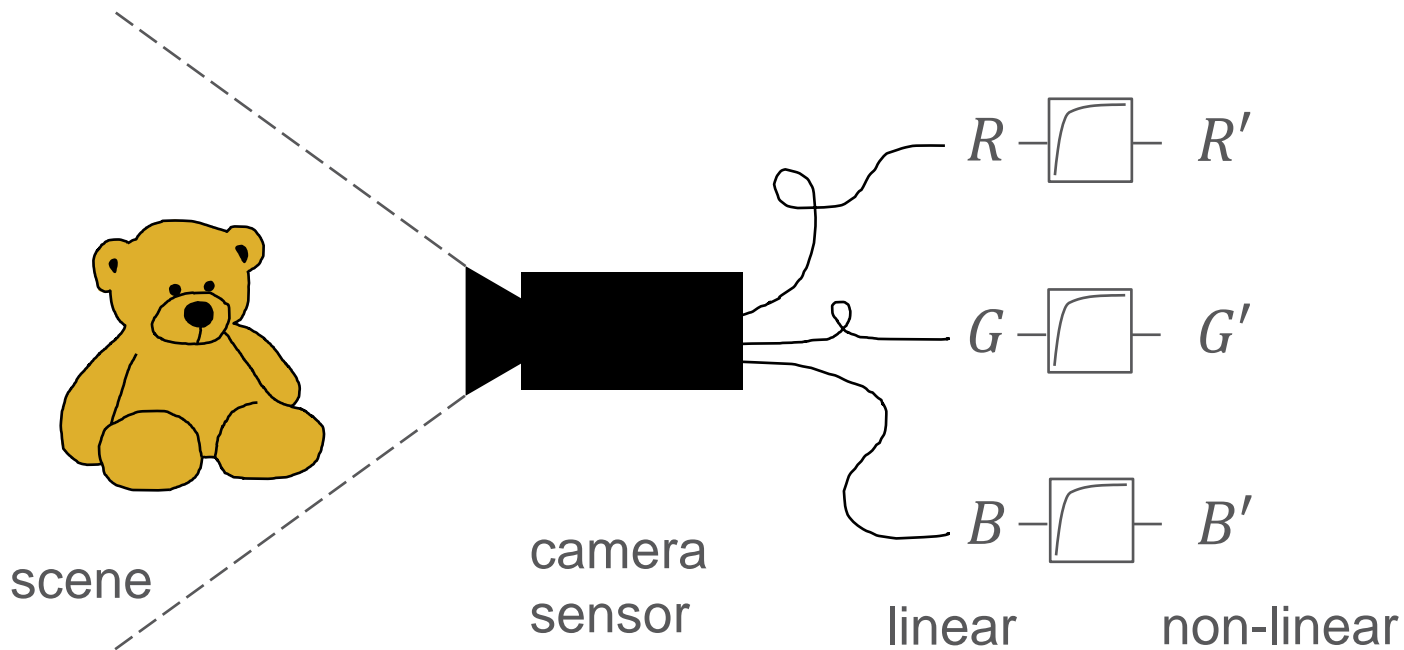
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Eye is better at bright/dark than color.
Encode “luma” in full resolution
Encode “chroma” in half resolution

VIDEO REPRESENTATION



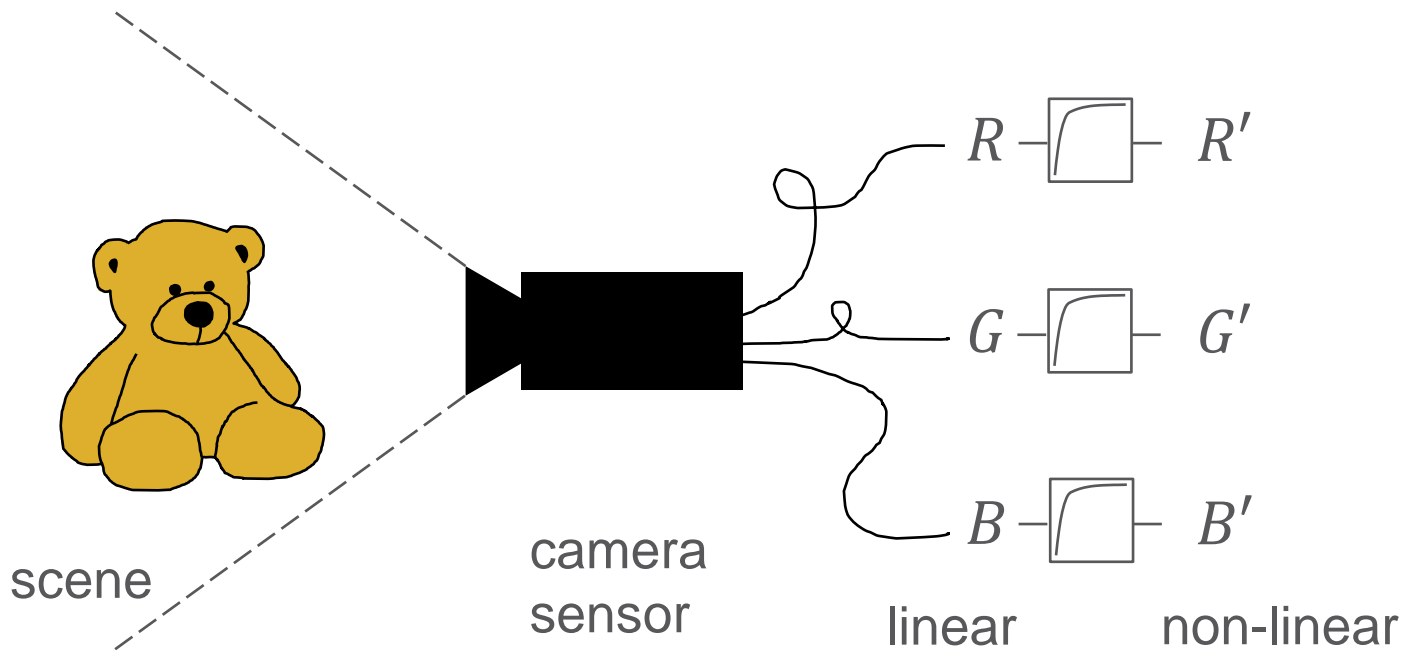
“luma”:

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3rd problem: Eye detects luminance, not luma.

VIDEO REPRESENTATION



“luma”:

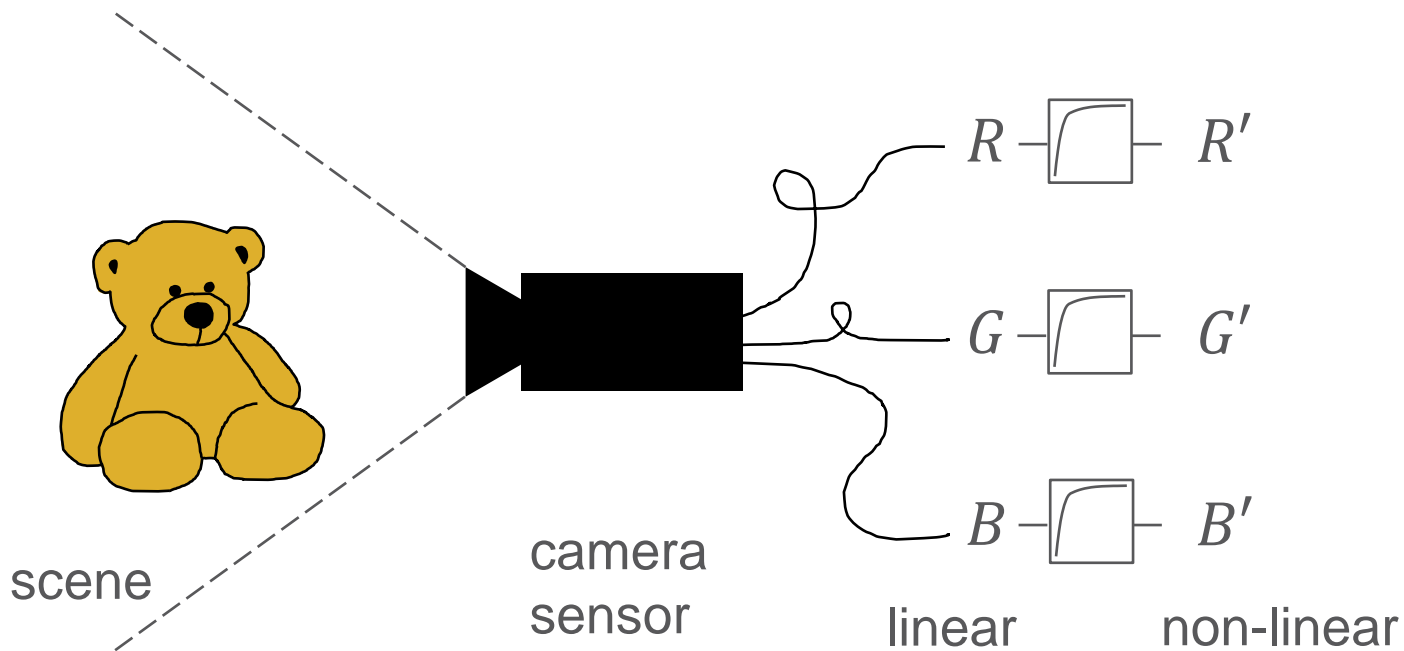
$$Y' = w_R R' + w_G G' + w_B B'$$

$$\left. \begin{array}{l} Cb' \sim B' - Y' \\ Cr' \sim R' - Y' \end{array} \right\} \text{“chroma”:$$

3rd problem: Eye detects luminance, not luma.

luminance: $Y = w_R R + w_G G + w_B B$

VIDEO REPRESENTATION




“luma”:

$$Y' = w_R R' + w_G G' + w_B B'$$

$$\left. \begin{array}{l} Cb' \sim B' - Y' \\ Cr' \sim R' - Y' \end{array} \right\} \text{“chroma”:$$

3rd problem: Eye detects luminance, not luma.

luminance: $Y = w_R R + w_G G + w_B B$  $f(Y)$



This is what the eye is sensitive to.
This is how $f(Y)$ was constructed.

$$f(Y) \neq Y'$$

VIDEO REPRESENTATION



› Summary:

- The eye sees luminance $f(Y)$
- We encode luma Y'

› Does it matter?

- Yes, as we will see

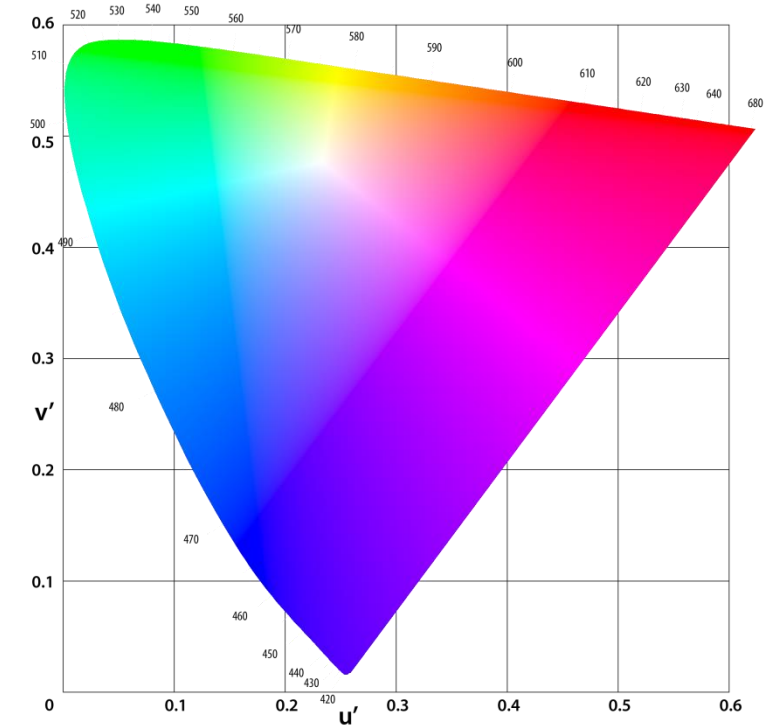
› Why not just encode luminance instead?

- “Constant luminance-YCbCr” does this, and $IC_T C_P$ comes close
- However, a lot of devices and network equipment can only handle traditional $Y'CbCr$

HOW DO WE SEE COLOR?



- › Luminance $f(Y)$ only describes the brightness part of the image
- › The color part can be described by CIELUV chromaticity coordinates u', v'
- › Larson [2] uses u', v' to determine if two colors are perceptually different.



[2] G.W.Larson, "The logluv encoding for full gamut, high dynamic range images," Journal of Graphics Tools, vol. 3(1), pp. 15–31, March 1998.

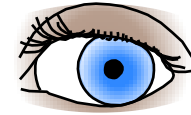
THREE SPACES



What the camera
measures



What we encode

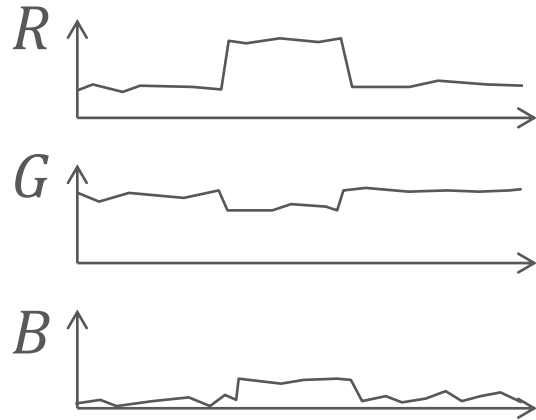


What the eye perceives

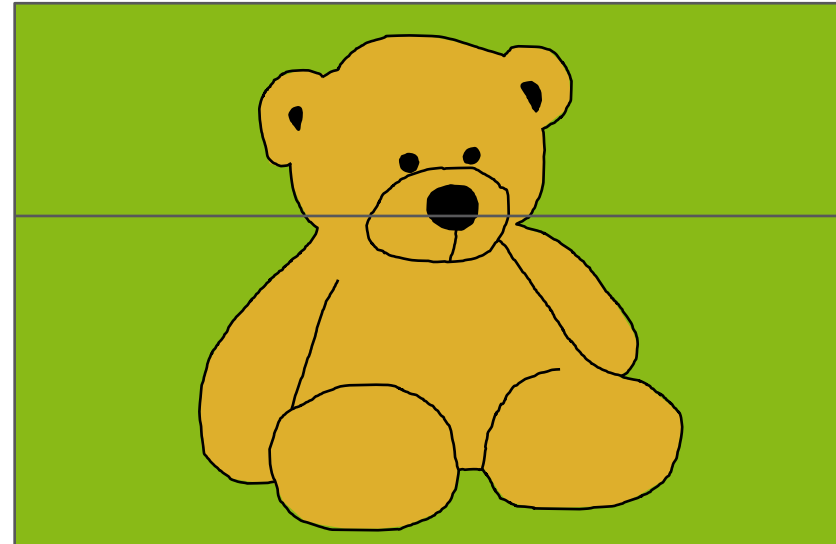
THREE SPACES



What the camera
measures



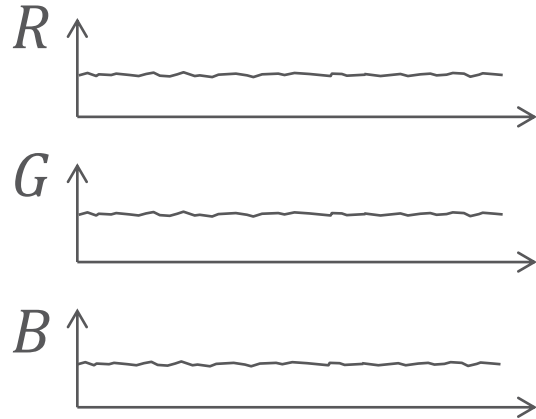
one scanline



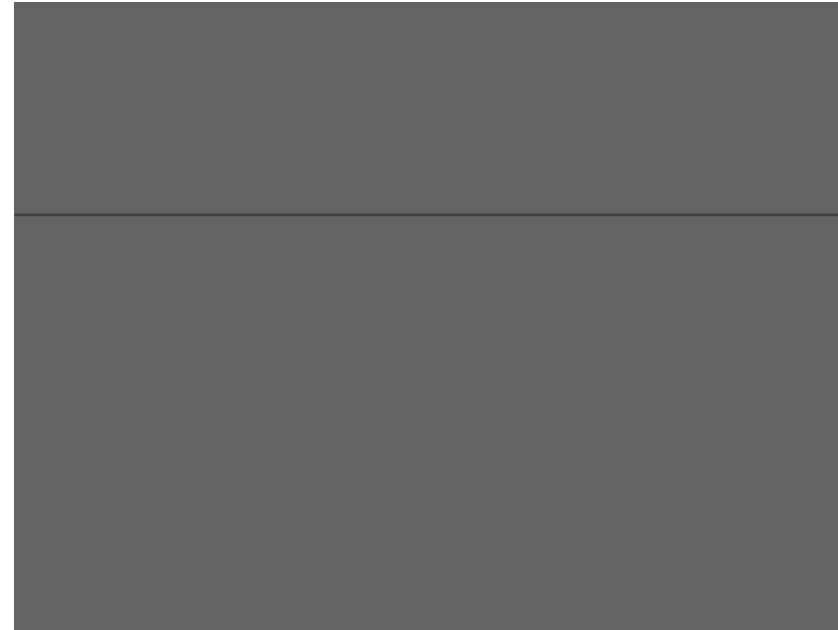
THREE SPACES



What the camera
measures



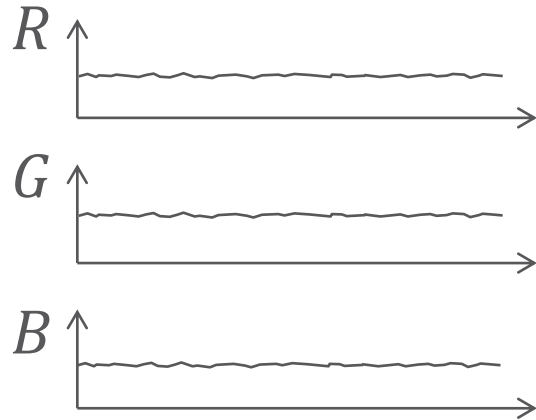
gray area plus noise



THREE SPACES



What the camera
measures

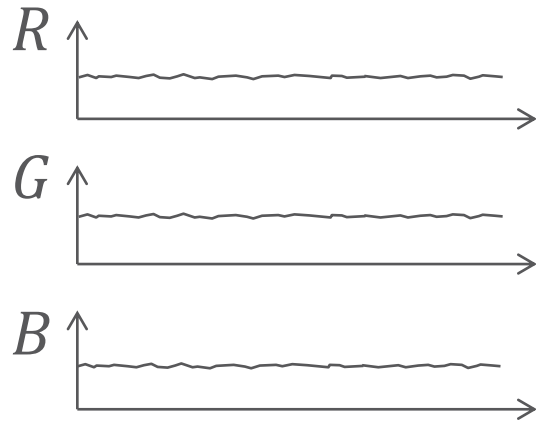


“linear RGB”

THREE SPACES



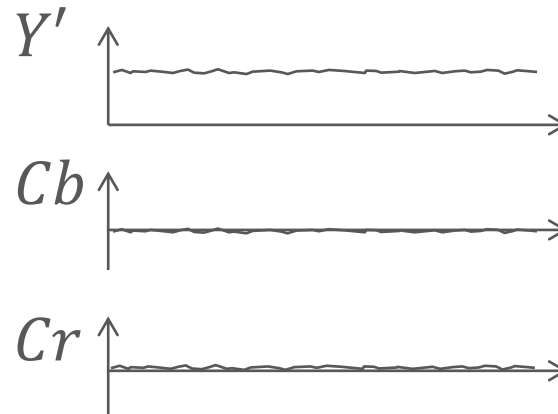
What the camera
measures



“linear RGB”



What we encode

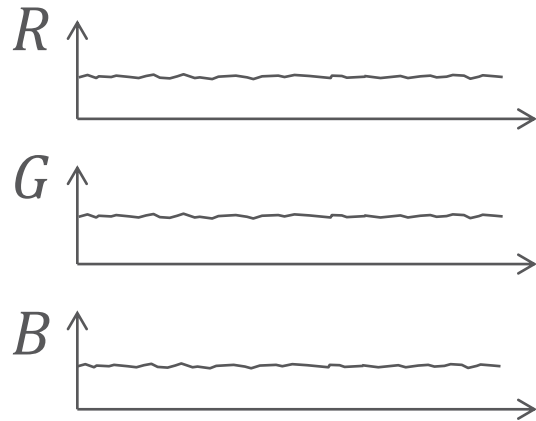


“luma and chroma”

THREE SPACES



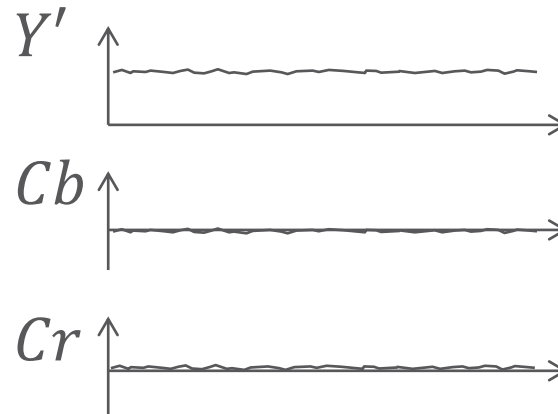
What the camera
measures



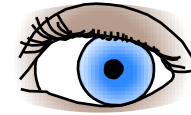
“linear RGB”



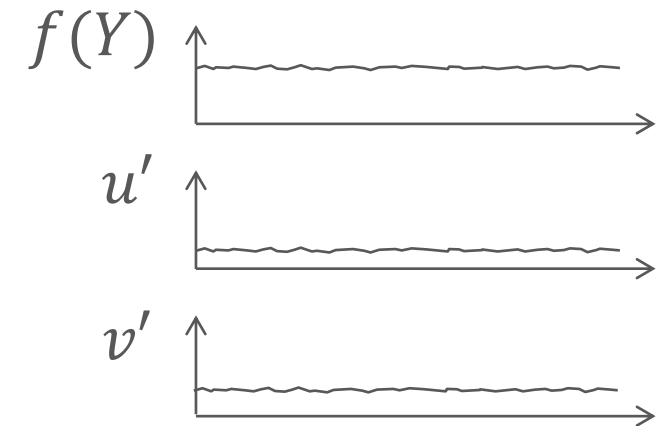
What we encode



“luma and chroma”



What the eye perceives

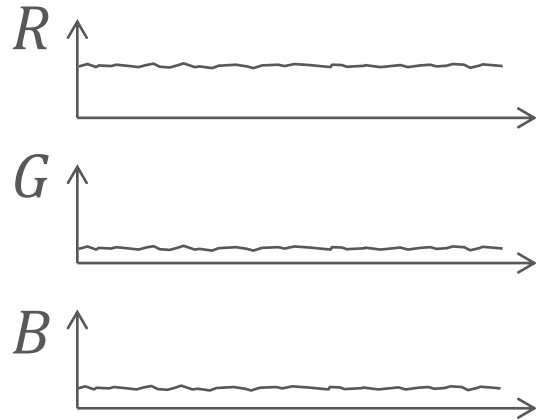


“luminance and
chromaticity”

THREE SPACES



What the camera
measures



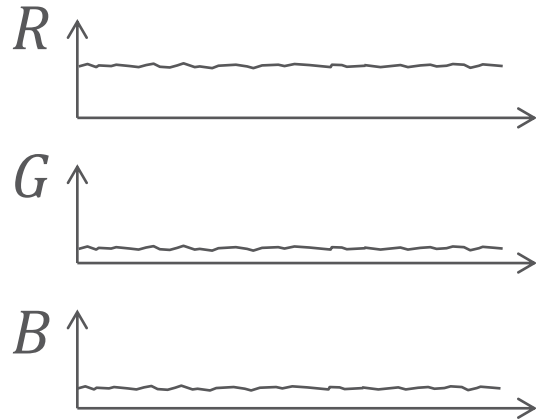
red area plus noise



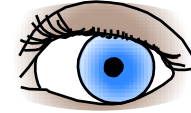
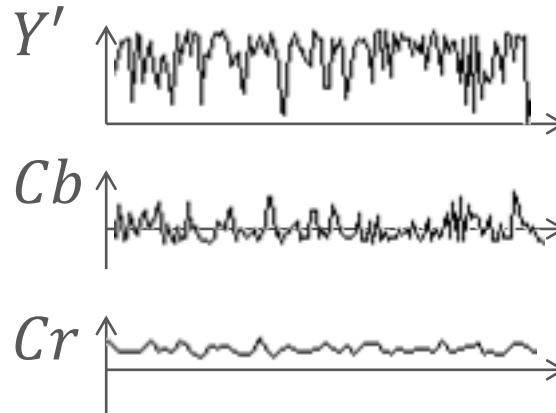
THREE SPACES



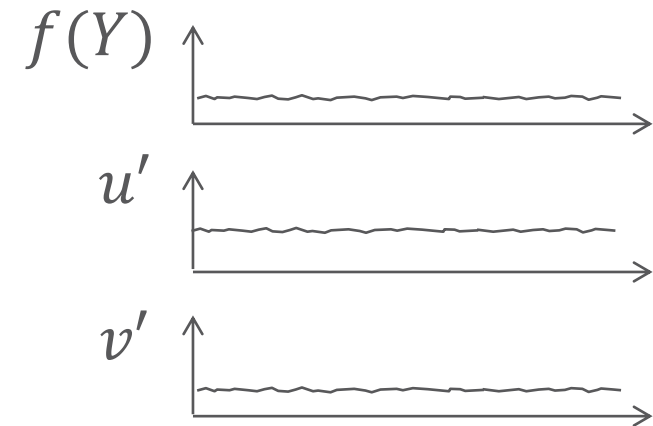
What the camera
measures



What we encode



What the eye perceives

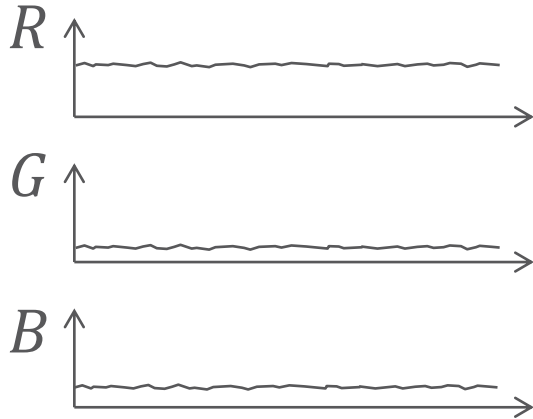


- › Problem 1: Small changes in what we measure becomes a noisy and hard signal to encode, even though we cannot see any noise with the naked eye.

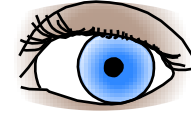
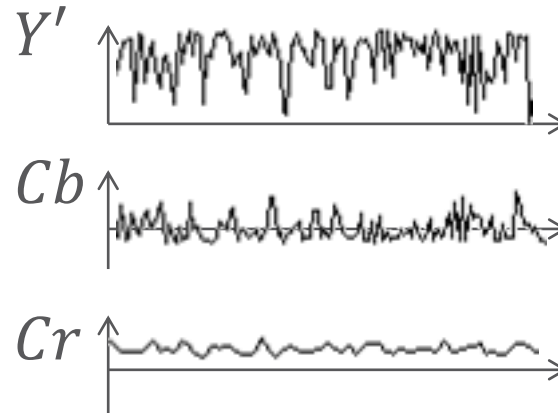
THREE SPACES



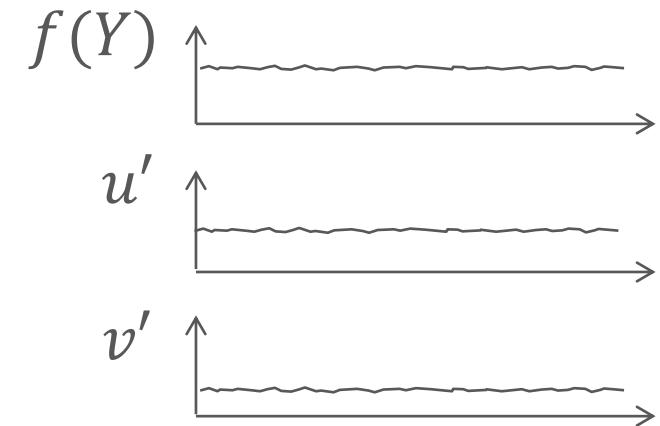
What the camera
measures



What we encode



What the eye perceives

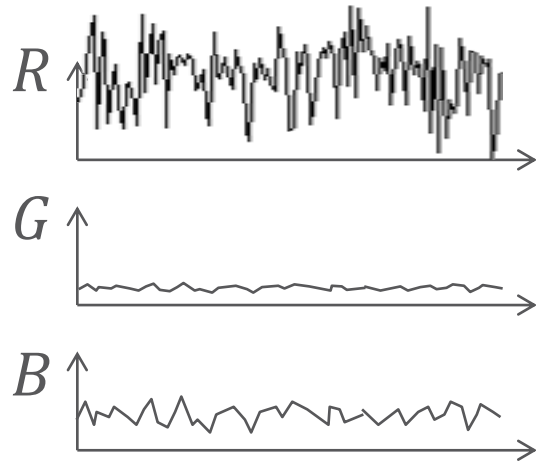


- › Problem 2: The wild swings in $Y'CbCr$ must cancel each other perfectly to get an output that looks calm. If we subsample Cb and Cr but not Y' , this balance is disturbed and large error occurs in luminance.

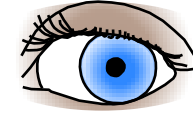
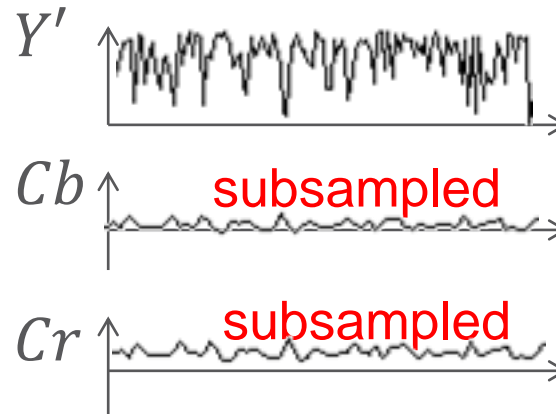
THREE SPACES



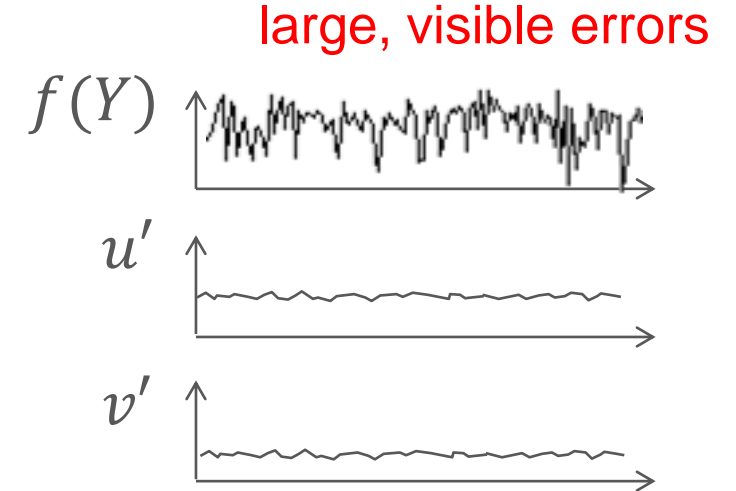
What the camera
measures



What we encode



What the eye perceives



- › Problem 2: The wild swings in Y'CbCr must cancel each other perfectly to get an output that looks calm. If we subsample Cb and Cr but not Y', this balance is disturbed and large errors occur in luminance.

EXAMPLE



Original image



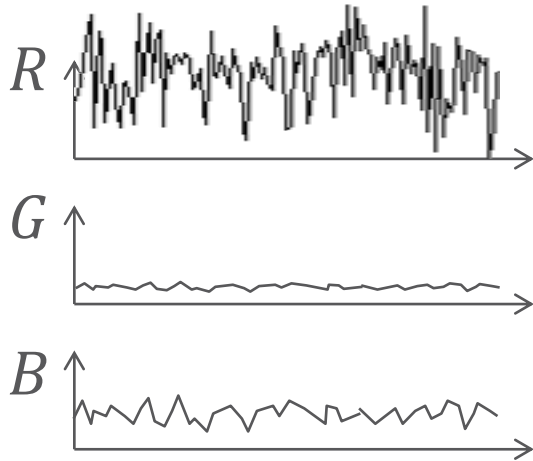
artifacts

Going to Y'CbCr, subsampling
and going back

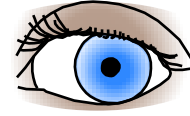
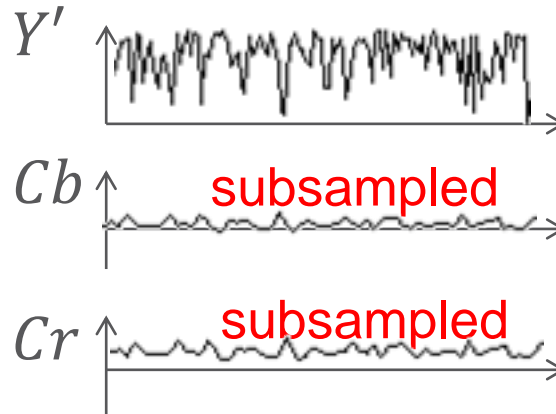
LUMA ADJUSTMENT [9]



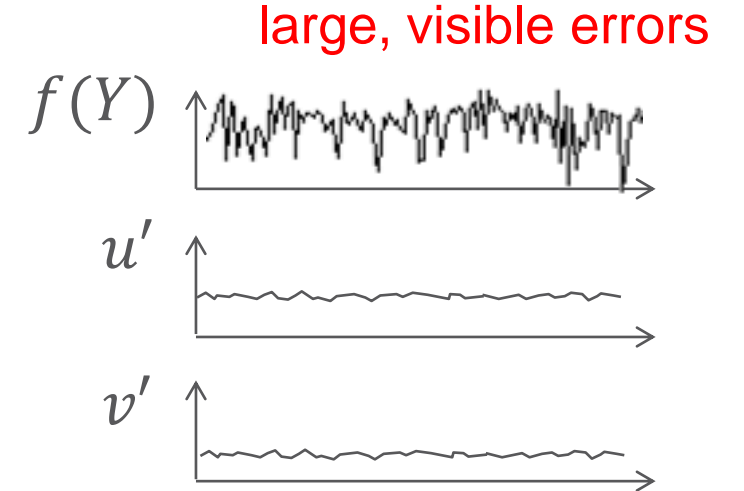
What the camera
measures



What we encode



What the eye perceives

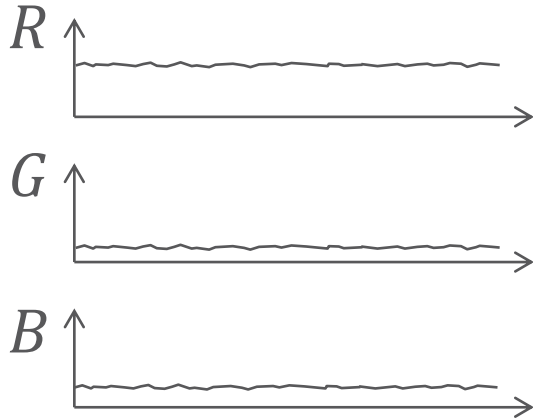


- › Adapt the luma (Y') component so that the visible errors in luminance disappears.

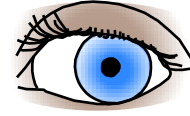
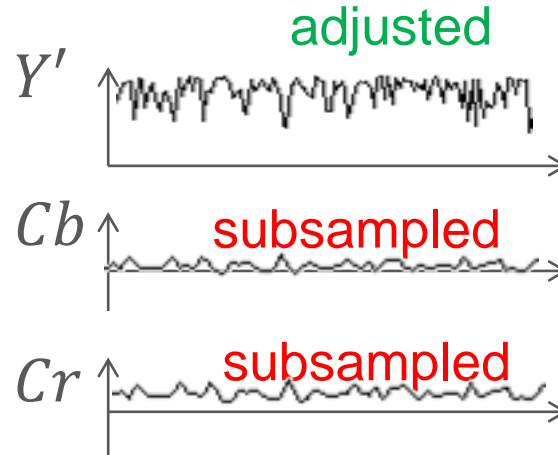
LUMA ADJUSTMENT [9]



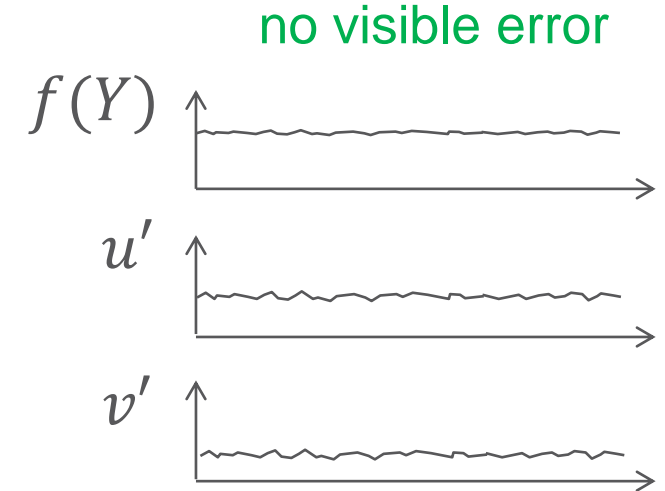
What the camera
measures



What we encode



What the eye perceives

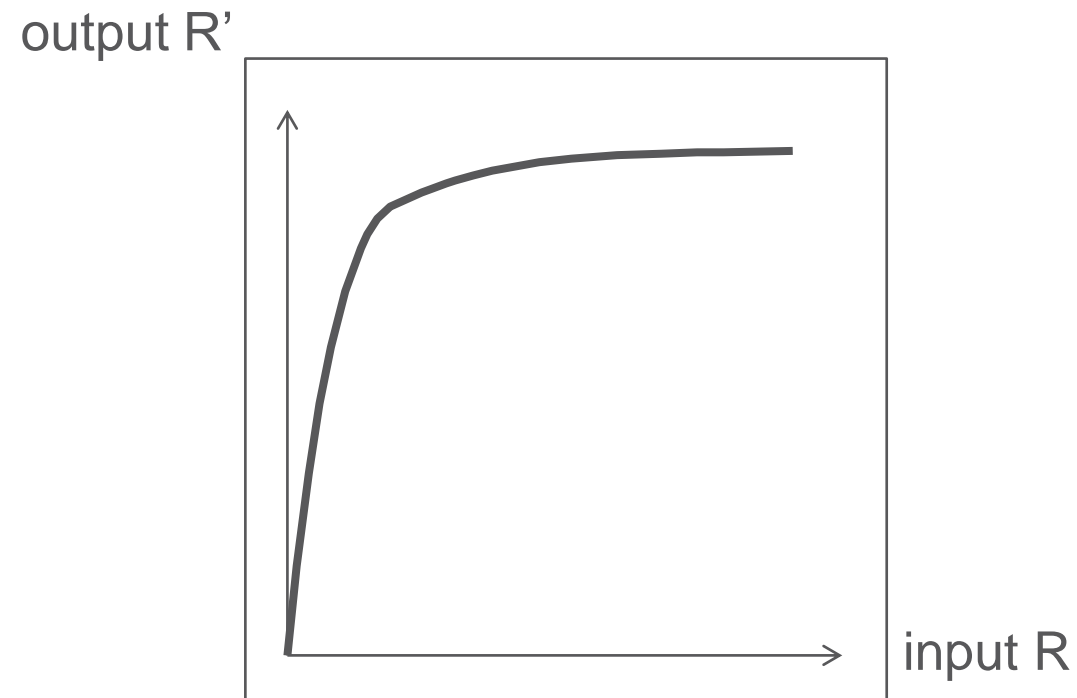


- › Adapt the luma (Y') component so that the visible errors in luminance disappears.

OUR APPROACH



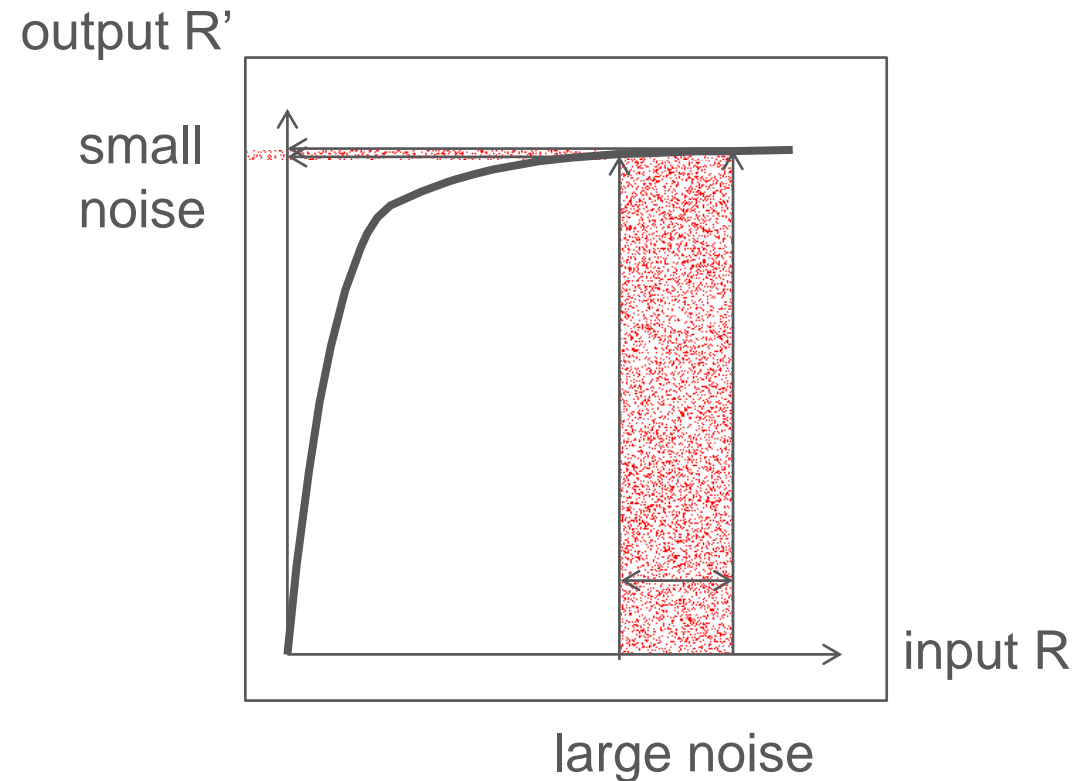
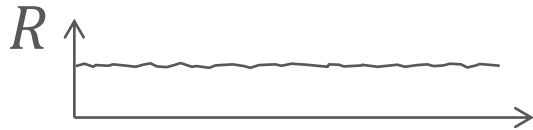
- › Why is the Y' Cb Cr representation so noisy?
 - Signal near zero is amplified due to large gain of transfer function



OUR APPROACH



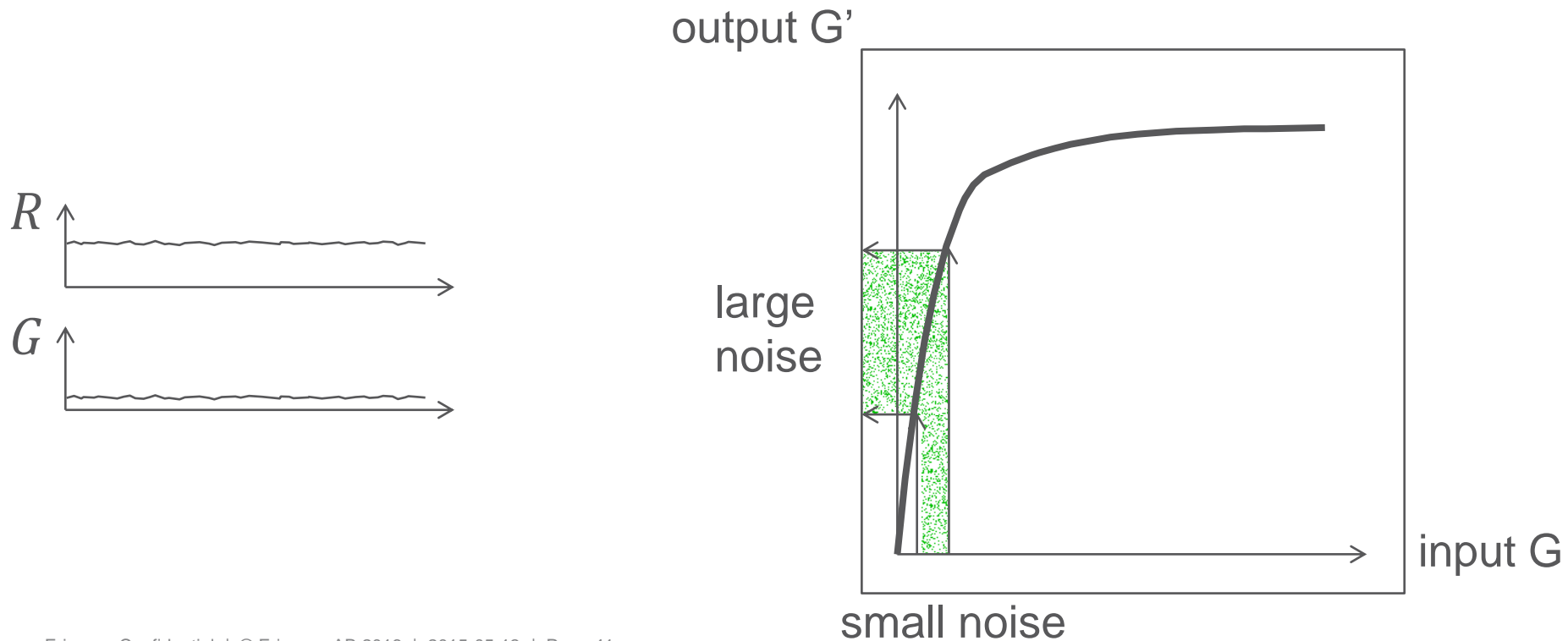
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OUR APPROACH



- › Why is the Y' Cb Cr representation so noisy?
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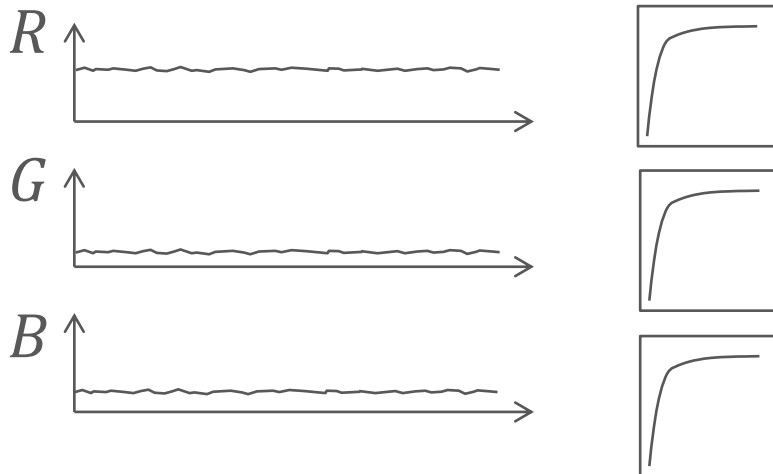


OUR APPROACH



- › Why is the Y' Cb Cr representation so noisy?
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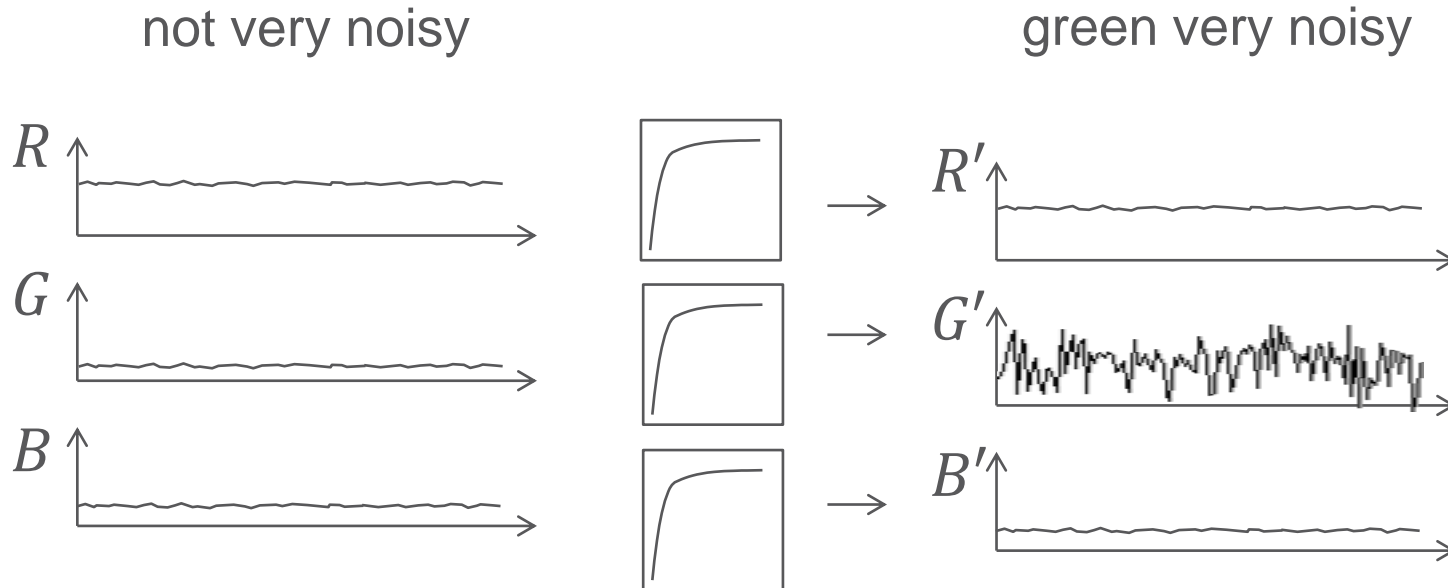
not very noisy



OUR APPROACH



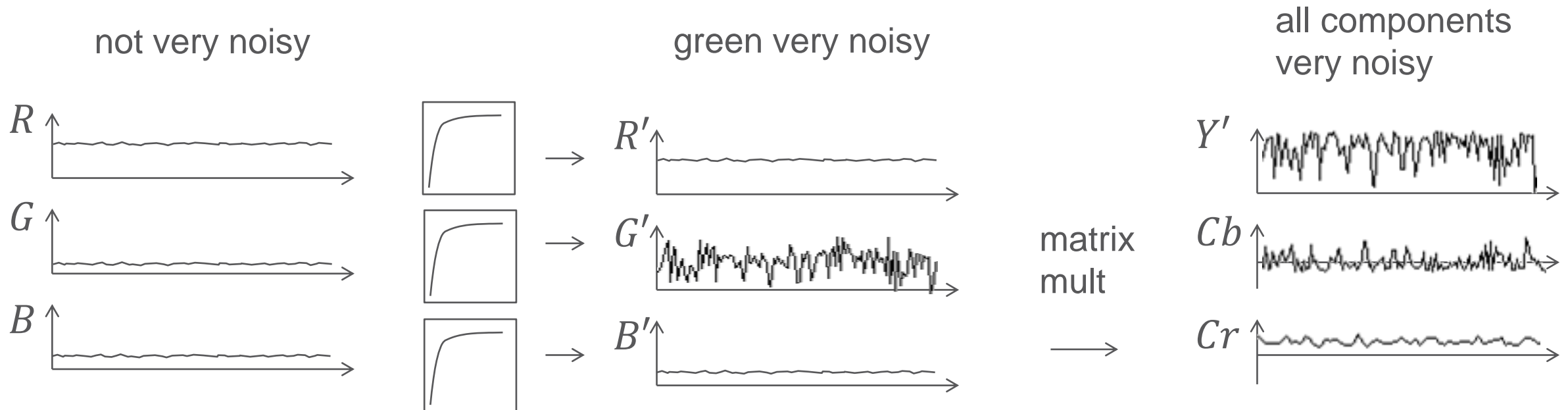
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OUR APPROACH



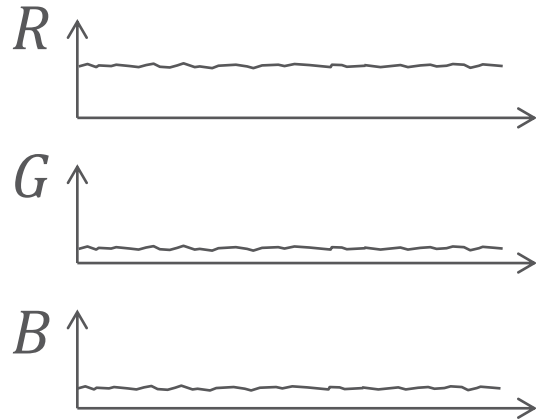
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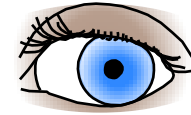
MAIN IDEA



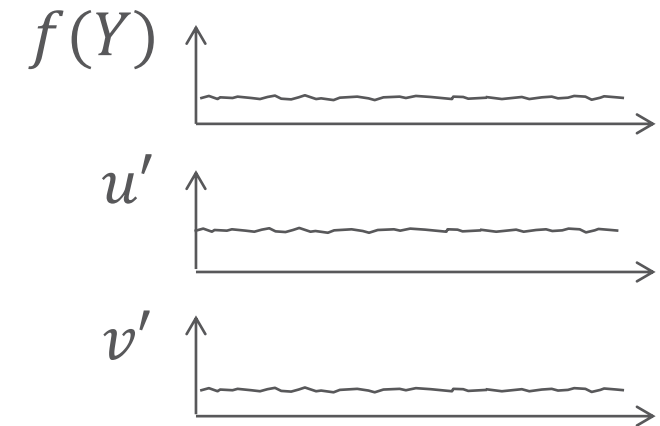
What the camera
measures



filter here...



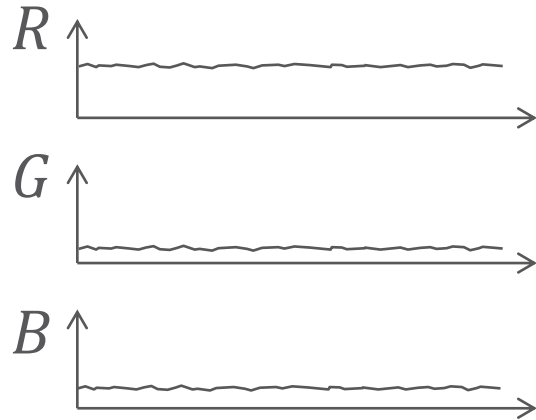
What the eye perceives



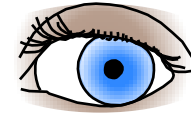
MAIN IDEA



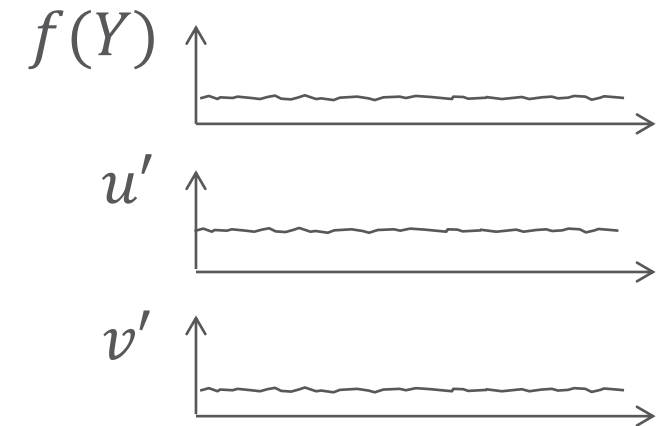
What the camera
measures



filter here...

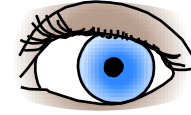


What the eye perceives



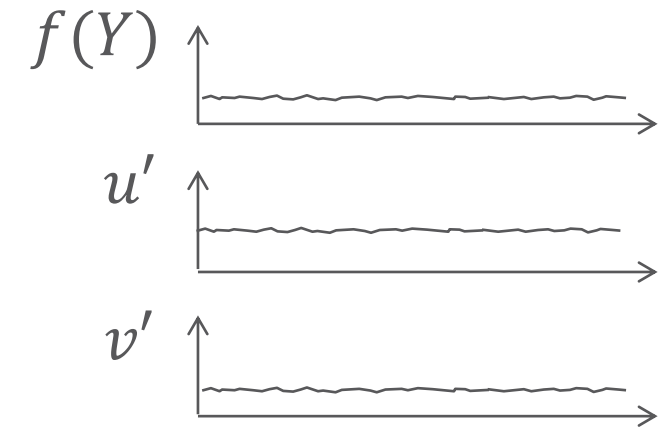
... while keeping track that
what we see doesn't change...

HOW MUCH CAN WE CHANGE G?

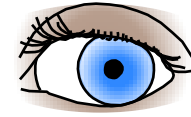


What the eye perceives

$$|f(Y_{before}) - f(Y_{after})| \leq 0.5/876 \text{ half a quant level} \leftarrow$$



HOW MUCH CAN WE CHANGE G?



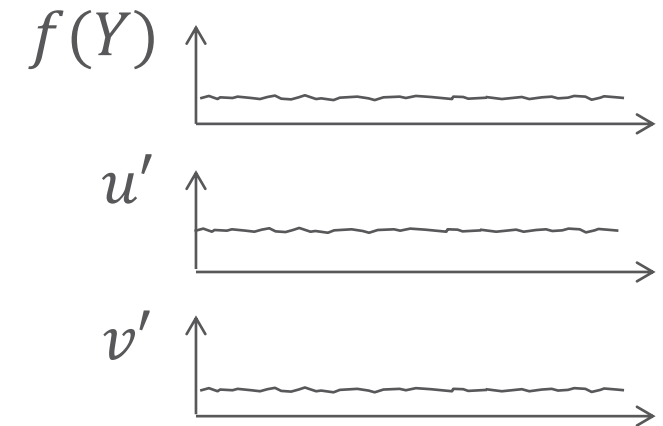
What the eye perceives

$$|f(Y_{before}) - f(Y_{after})| \leq 0.5/876 \text{ half a quant level} \leftarrow$$

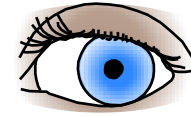
$$|u'_{before} - u'_{after}| \leq 0.5/410$$

Larson [2]

$$|v'_{before} - v'_{after}| \leq 0.5/410$$



HOW MUCH CAN WE CHANGE G?



What the eye perceives

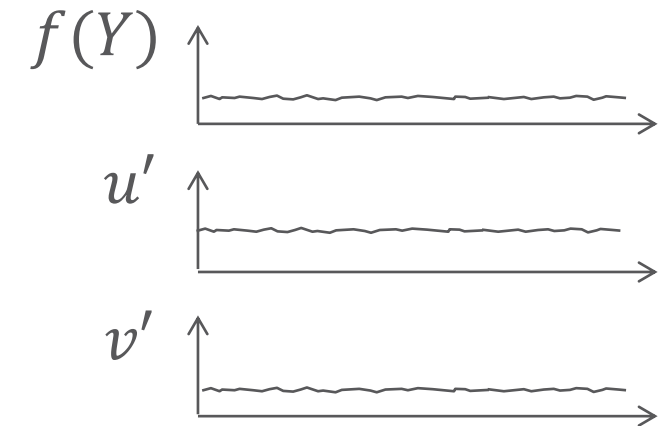
$$|f(Y_{before}) - f(Y_{after})| \leq 1/876$$



$$|u'_{before} - u'_{after}| \leq 2/410$$



$$|v'_{before} - v'_{after}| \leq 2/410$$



ANALYTIC LUCK



- › For a certain color R , G , B , it is possible to calculate the smallest and largest value of G that still satisfy the three formulae:

$$\left. \begin{array}{l} - |f(Y_{before}) - f(Y_{after})| \leq 1/876 \\ - |u'_{before} - u'_{after}| \leq 2/410 \\ - |v'_{before} - v'_{after}| \leq 2/410 \end{array} \right\} \longrightarrow \text{Gives } G_{min}, G_{max} \text{ for a given } R, G, B$$

- › It is even the case that G_{min} and G_{max} can be calculated ***analytically*** from R , G and B ! (Details in the paper.)

CORE PROCESS

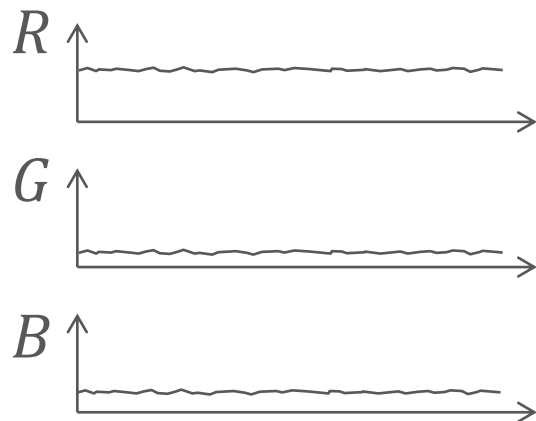


1. Calculate G_{min} , G_{max} for every pixel
 2. Filter G with FIR filter $\{1, 1, 1, 1, 1\}/5$ in x- and y- directions.
 3. Clamp every pixel $\hat{G} = clamp(G_{filter}, G_{min}, G_{max})$
 4. Repeat 2 and 3
- › Due to the clamping, every pixel is still perceptually equivalent to the original

MAIN IDEA



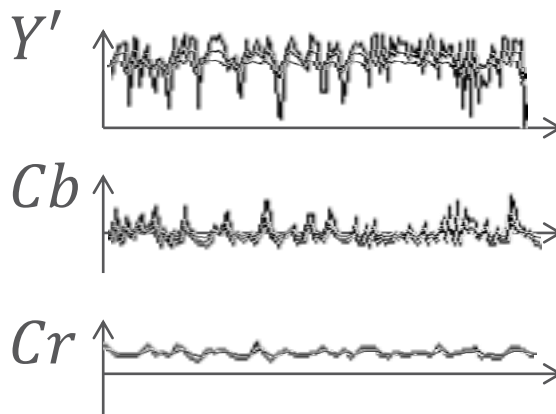
What the camera
measures



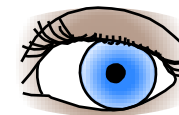
filter here...



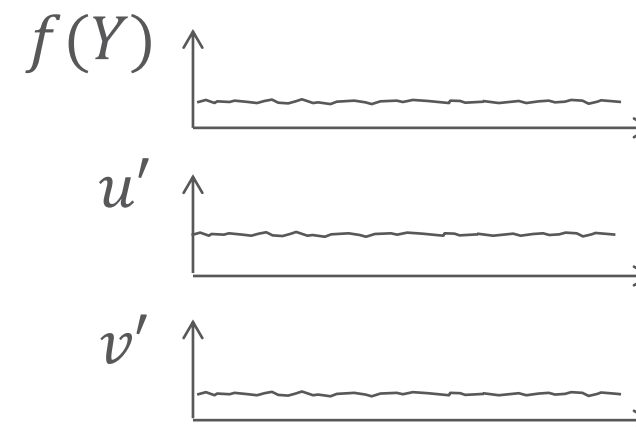
What we encode



... so that what we encode
does not vary so much.



What the eye perceives

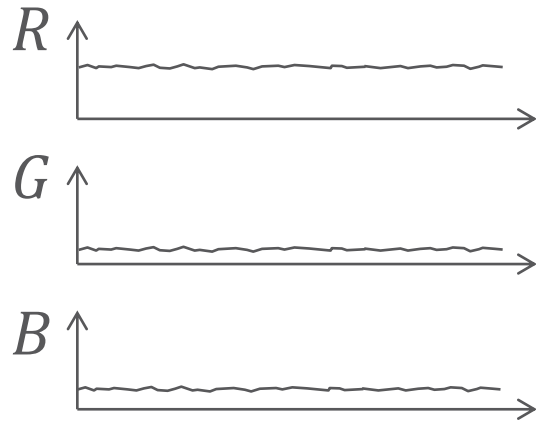


... while keeping track that
what we see doesn't change...

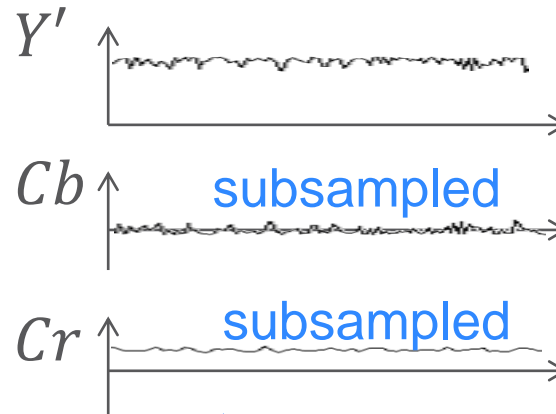
MAIN IDEA



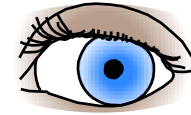
What the camera
measures



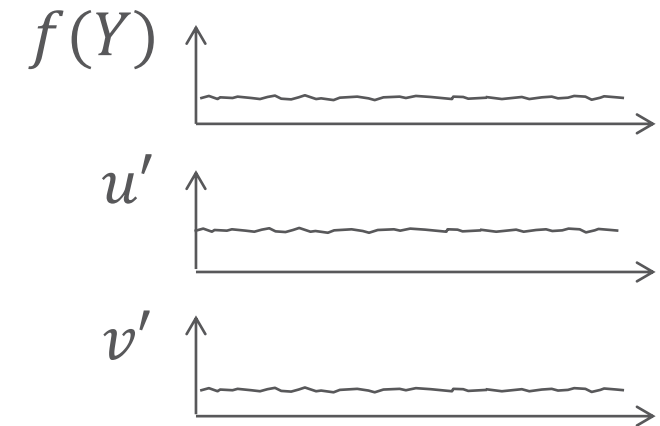
What we encode



Now if we subsample chroma....



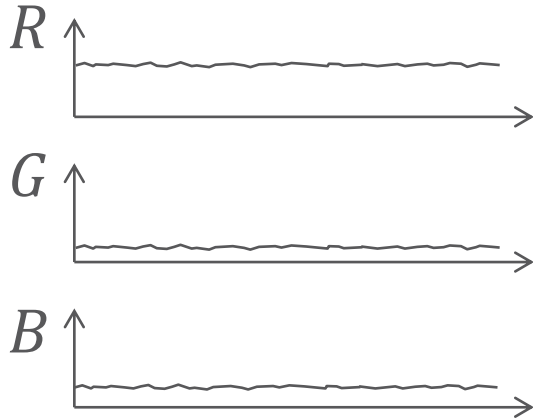
What the eye perceives



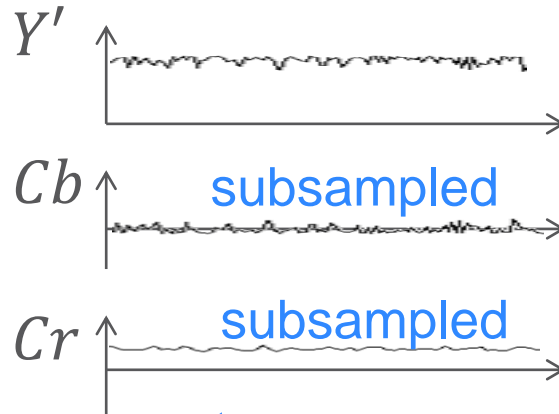
MAIN IDEA



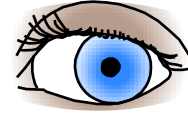
What the camera
measures



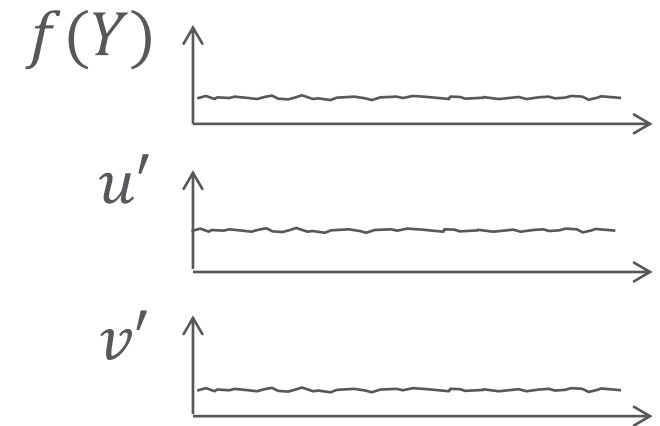
What we encode



Now if we subsample chroma....
... they will not change so much since a
subsampled version of a smooth function
is similar to the original...



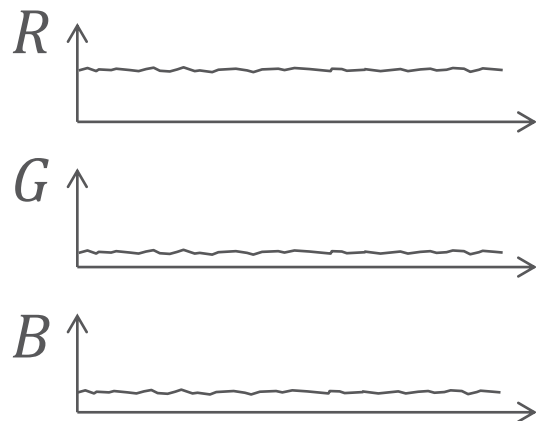
What the eye perceives



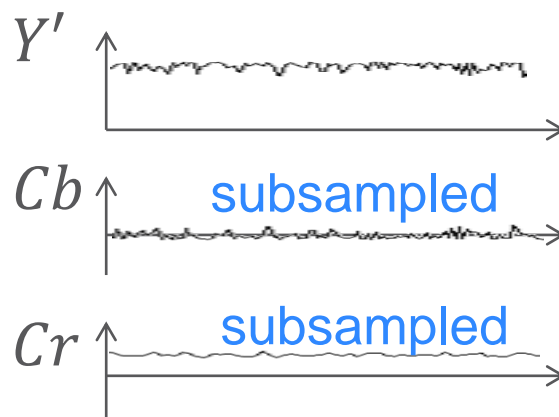
MAIN IDEA



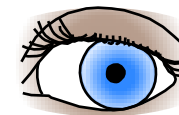
What the camera measures



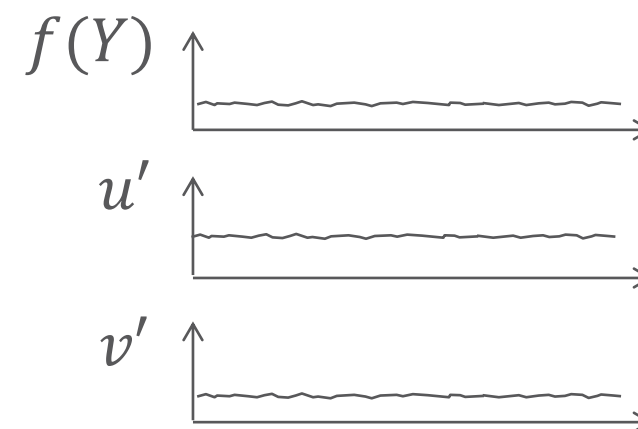
What we encode



Now if we subsample chroma....
... they will not change so much since a
subsampled version of a smooth function
is similar to the original...



What the eye perceives



... and the visible result
is greatly improved.

TRADITIONAL PROCESSING



original
frame 389

original
frame 390

TRADITIONAL PROCESSING



original
frame 389

original
frame 390

Y'



frame 389

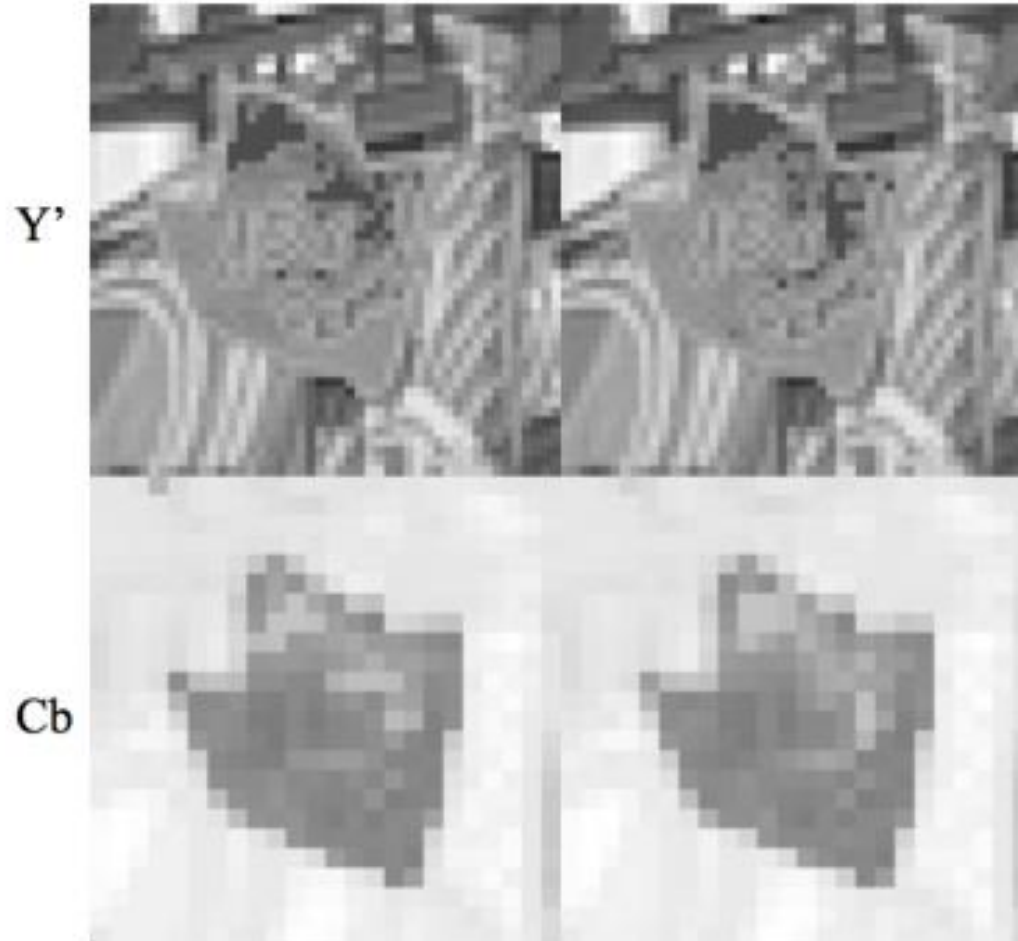
frame 389

TRADITIONAL PROCESSING



original
frame 389

original
frame 390



frame 389

frame 389

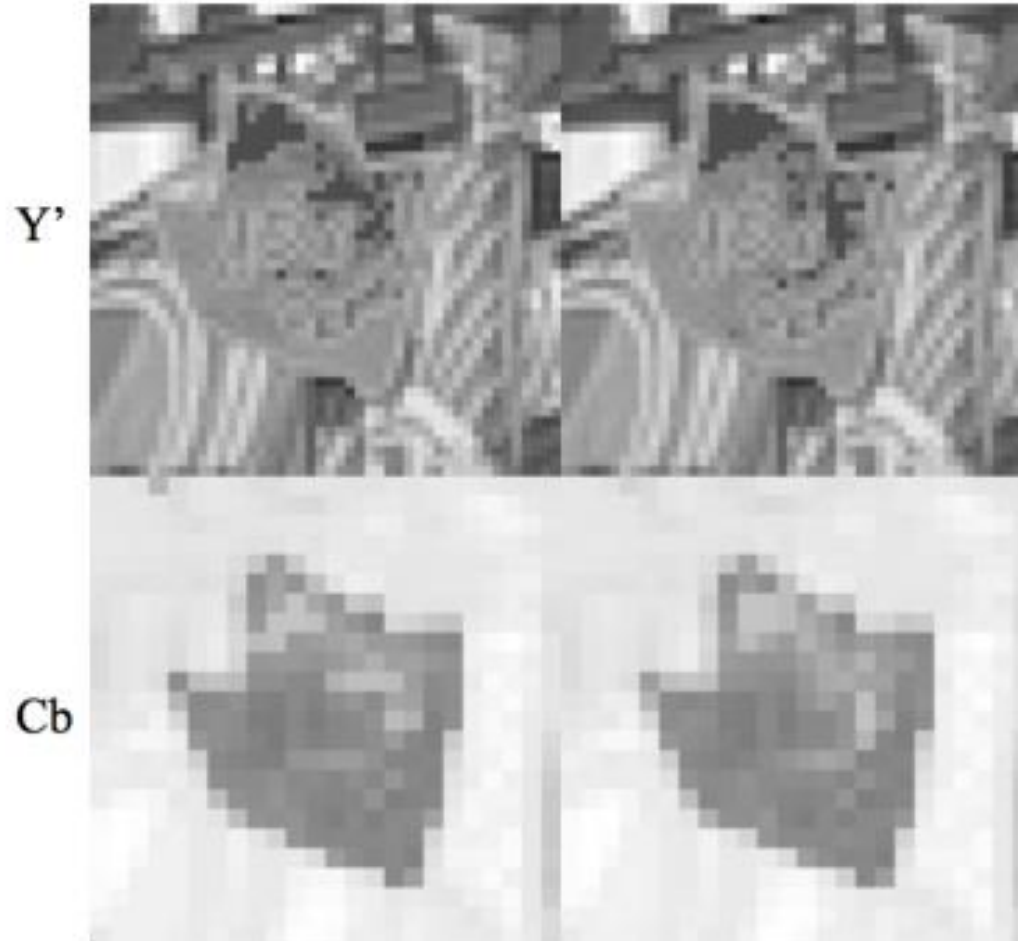
TRADITIONAL PROCESSING



original
frame 389



original
frame 390



frame 389

frame 389



result after
subsampling and
compression
using QP 21

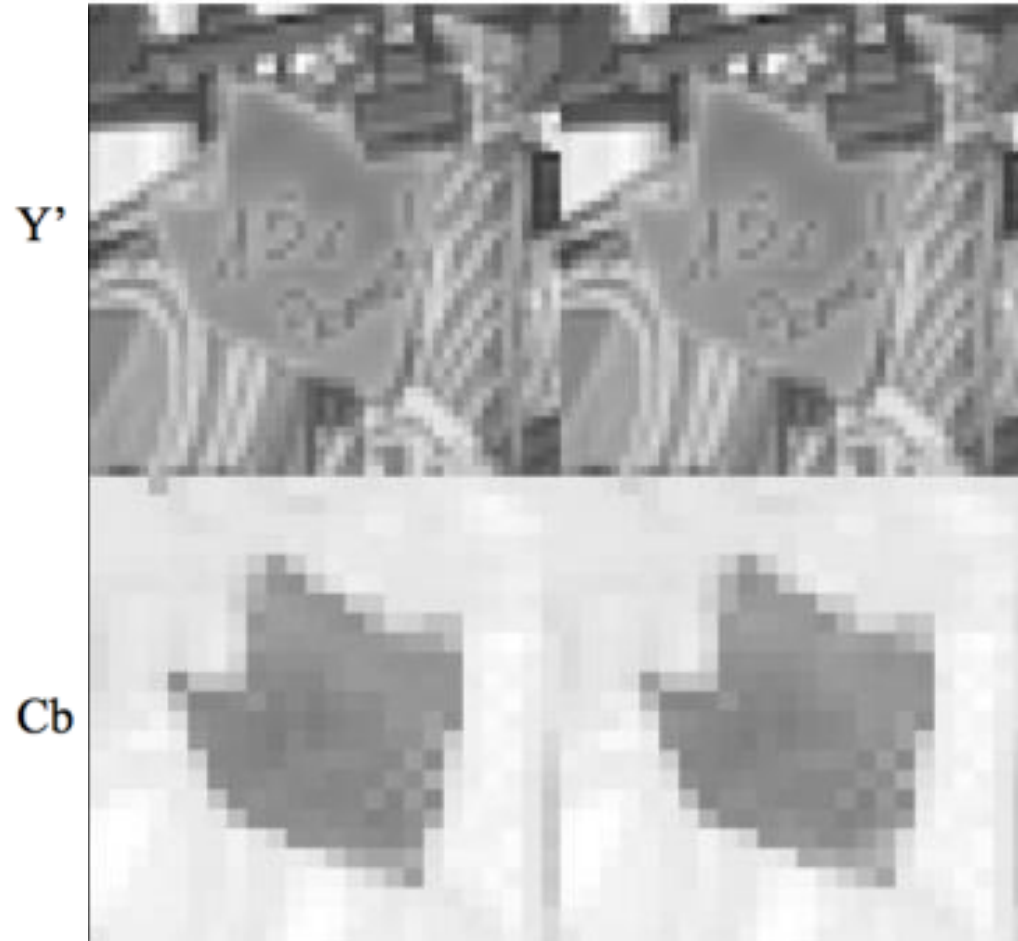
PROPOSED METHOD



original
frame 389



original
frame 390



frame 389

frame 389



result after
subsampling and
compression
using QP 21

RESULTS: VISUAL RESULTS AFTER COMPRESSION IMPROVE



original



traditional
subsampling



luma adjustment



proposed
scheme

OBJECTIVE RESULTS



- › We compared traditional subsampling with the proposed method
 - We used the A' sequences from MPEG (BT.709 in a BT.709 container)
 - 2.4% BD rate gain in tPSNRY

$$\phi = 2/410$$
$$\theta = 1/876$$

	tPSNRY	tPSNRXYZ	DE100	L100
All	-2.4%	-2.0%	-0.3%	-1.7%

BONUS: SDR



- › We did not expect there to be so much to gain for standard dynamic range images, since the transfer function is less steep.
- › However, it turns out that one of the MPEG test sequences suffers from noise amplification and noise suppression.
- › The proposed method removes these artifacts.

SDR: COMPRESSED QP 22

noise
amplification



noise
suppression

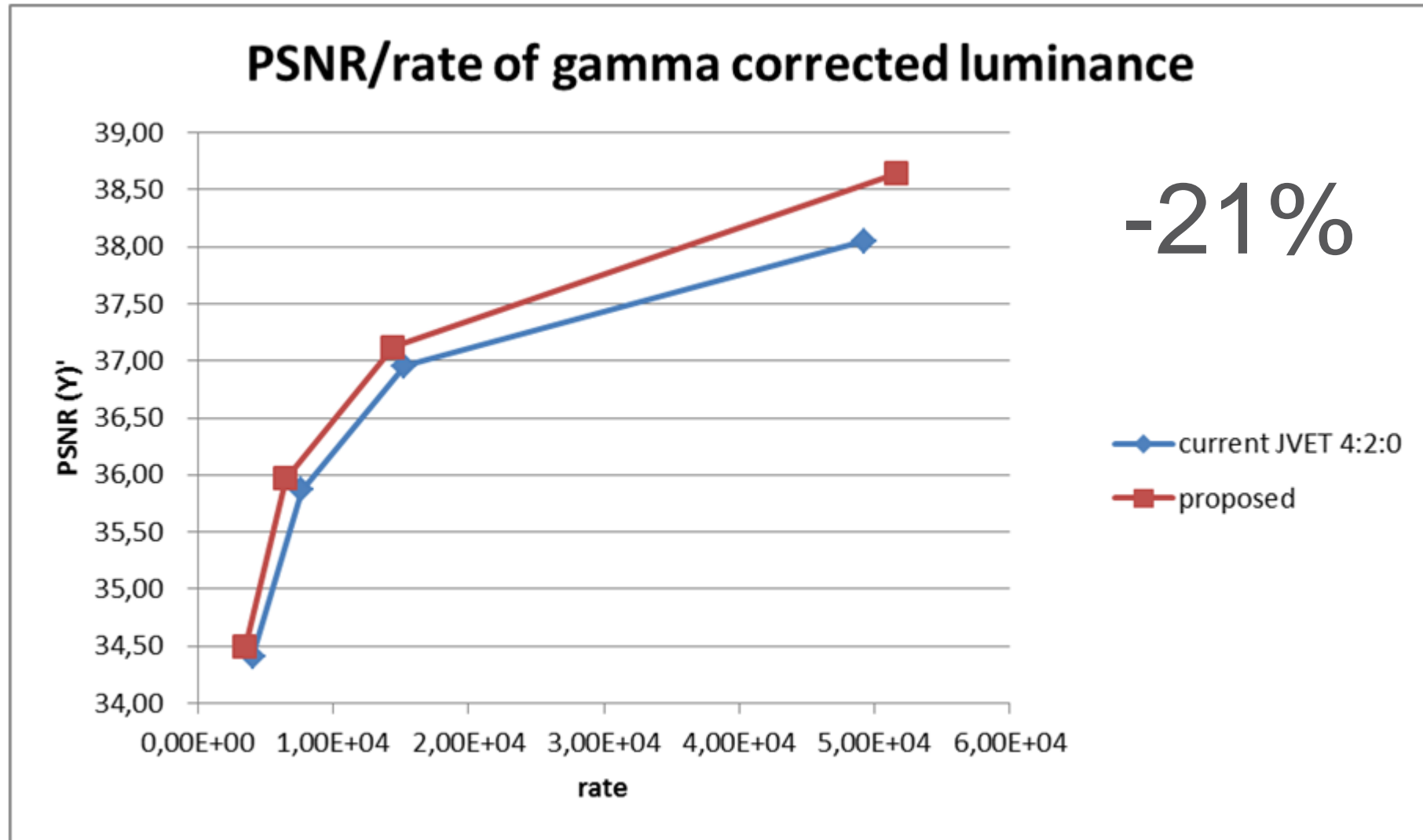


traditional subsampling

proposed method

noise
more true
to original

OBJECTIVE MEASUREMENT RA



SUMMARY



- › Core idea is to filter image just enough that it is not visible
- › The filtering of components near zero will make $Y'CbCr$ representation much less noisy
 - Suppresses noise amplification artifacts
- › Makes neighboring frames more similar
 - Prediction works better
 - BD rate change of -2.4% in tPSNR
- › Also works on regular standard dynamic range images
 - Avoids noise amplification and gives coding gain



ERICSSON